3 Relevance Feedback

3.1 Basics

- 3.2 Advanced Techniques
- 3.3 Profile Management



with $\alpha, \beta, \gamma \in [0,1]$ and typically $\alpha > \beta > \gamma$





based on J. Xu, W.B. Croft: Query expansion using local and global document analysis, SIGIR Conference, 1996

Lazy users may perceive feedback as too bothersome

Evaluate query and simply view top n results as positive docs: Add these results to the query and re-evaluate or Select ,,best" terms from these results and expand the query

3.2 Reshaping the Distance Measure

Assume that original distance measure (inverse similarity) is a vector-space norm (e.g., Manhattan, Euclidean, etc.). Use relevance feedback to adjust dimension weights:

$$L_p(x,y) = \sqrt[p]{\sum_{i=1}^n w_i (x_i - y_i)^p}$$

Choose weights w_i inversely proportional to variance in dimension-i features of positive docs

$$w_i \sim 1/Var[d_i \mid d \in D^+]$$

Avoid "overshooting":

$$w_i^{new} \coloneqq \alpha \cdot w_i^{old} + \beta \cdot w_i$$

Adjusting Distances based on Quadratic Form Consider distance function (Mahalanobis distance) with $n \times n$ feature-feature similarity matrix M: $dist(x, y) = (x - y)^T M (x - y) = \sum_i \sum_j m_{ij} \cdot (x_i - y_i) \cdot (x_j - y_j)$ Given feedback rf(d) for each d in D⁺, determine M and q⁺ such that: $\sum_{d \in D^+} rf(d) \cdot (d - q^+)^T M(d - q^+) = \min!$ and $\det(M) = 1$ Optimal solution is: $q' = \left(\sum_{d \in D^+} rf(d) \cdot d\right) l \left(\sum_{d \in D^+} rf(d)\right)$ $M = \det(C)^{1/n} C^{-1}$ with $C_{ij} = \sum_{d \in D^+} rf(d) (d_i - q_i) (d_j - q_j)$

Adjusting Weights in Multi-Criteria Distance

Consider distance function with multiple, weighted criteria:

$$dist(d,q) = \sum_{k=1}^{\infty} w_k \cdot dist_k(d,q)$$

D+ (possibly over several queries) and $rf_q(d^{(i)})$ for $d^{(i)} \in D+$ yields a set of sample points $(x_1^{(i)}, ..., x_m^{(i)}, y^{(i)})$ with $x_1^{(i)} = dist_1(d^{(i)}, q), ..., x_m^{(i)} = dist_m(d^{(i)}, q), y^{(i)}) = rf_q(d^{(i)})$

"Learn" the optimal weights w_k by linear regression: minimize the squared error $\sum_i \left(\left(\sum_k w_k x_k^{(i)} \right) - y^{(i)} \right)^2 =: E(w_1, ..., w_m)$ Solve linear equation system: $\frac{\partial E}{\partial w_k} = \mathbf{0}$ for k=1, ..., m

Query Expansion: Adding FeaturesGenerate single-feature query candidates c1, ..., cm from D+,e.g., extracting the best (tf or MI based) terms from positive docsFor each candidate ci, compute:E[dist(ci,d) | d $\in D+$] =: E+ (ci)E[dist(ci,d) | d $\in D+$] =: E+ (ci)E[dist(ci,d) | d $\in D-$] =: E+ (ci)Var[dist(ci,d) | d $\in D-$] =: C+ (ci)Var[dist(ci,d) | d $\in D-$] =: V+ (ci)Var[dist(ci,d) | d $\in D-$] =: V- (ci)Consider adding ci to the query (i.e., setting q* = q + ci) ifthe separation distance is positive (and sufficiently high):

 $sep(ci) = (E^{-}(ci) - V^{-}(ci)^{1/2}) - (E^{+}(ci) + V^{+}(ci)^{1/2})$

3.3 Profile Management

Long-term feedback obtained from many queries of the same user or user group may be captured in the form of a user profile, which tracks *user-specific weights* and other feedback-based params

A profile may represent the union of positive docs from earlier queries simply by the *centroid*. When a user gives *feedback to a new query*, the most similar profile is determined and the query is adjusted based on this profile.

Long-term profile management may involve merging or splitting profiles.

Literature

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- Ugur Cetintemel, Michael Franklin, Lee Giles: Self-adaptive User Profiles for Large-scale Data Delivery, ICDE Conference, 2000