



## Geometric Modeling 2010

### Assignment sheet 10 (Bobbies, due July 16<sup>th</sup> 2010)

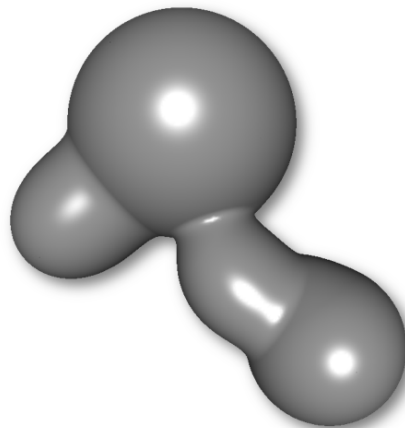
---

(1) Blobby Objects [1+2+9 points]

Bobbies are implicitly defined objects. Traditionally, the function

$$C(r) = -\frac{4}{9}r^6 / R^6 + \frac{17}{9}r^4 / R^4 - \frac{22}{9}r^2 / R^2 + 1 \quad \text{if } 0 \leq r \leq R$$
$$C(r) = 0 \quad \text{if } r > R$$

is used to describe Metaballs/Bobbies. In contrast to exponential decay functions this function has the property that it reaches 0 at  $R$  and has the value  $1/2$  at  $R/2$ . If several of these functions are placed in space with overlapping tails and an implicit surface is drawn, organically looking shapes arise.



- Bobbies are defined by a centre and a radius. Allow adding points to a 3D-world that act as centers for Bobbies.
- Add a second point to every Blobby that acts as a handle for resizing the Blobby.
- Compute the implicit Blobby function on a 3D-grid for several Bobbies and use the marching cubes module to triangulate the implicit surface. The user should be able to set the surface threshold and the grid resolution. A good value to start for the surface threshold is 0.5 . Recompute when radius or centre changes.

(2) Normals [7+1 points]

- a. Compute surface normals for the surface vertices and display them as small lines sticking out of the surface.
- b. Set the normals of the displayed vertices to achieve smoother shading.

**Some GeoX Remarks:**

GeoX allows Per-Vertex-Lighting and provides a marching cubes implementation.

A user can swap between face-lighting and vertex-lighting by the button "**Light F/V**". To use this lighting, you have to set a normal for every **Point3D** (via `point.normal = ...`). This is required for correct light computation. If it is not set then everything will be black or white.

Please also see **ExampleExperimentMarchingCubes** for an example:

The first function shows a cube with different colors for every cube. Play around with the **Handles** and **Light F/V** button. The normals do not automatically recompute, so if you pull a corner then the lighting will NOT change accordingly.

The second function shows you how one marching-cube is triangulated using the marching cubes function. The vertices are filled with a random value in  $[0..1]$ , so for every new function call you get a new triangulation of this cube.