



Audio Identification

An audio fingerprint is a content-based compact signature that summarizes a piece of audio content

Requirements:

- Discriminative power
- Invariance to distortions
- Compactness
- Computational simplicity
- Ability to accurately identify an item within a huge number of other items (informative, high entropy)
- Low probability of false positives
- Recorded query excerpt (only a few seconds)
- Large audio collection on the server side (millions of songs)

Audio Identification

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Audio Identification

An audio fingerprint is a content-based compact signature that summarizes a piece of audio content

Requirements:

- Discriminative power
- Invariance to distortions
- Compactness
- Computational simplicity
- Recorded query may be distorted and superimposed with other audio sources
- Background noise
- Pitching (audio played faster or slower)
 Equalization
- Compression artifacts
- Cropping, framing

...

Audio Identification

An audio fingerprint is a content-based compact signature that summarizes a piece of audio content

Requirements:

- Discriminative power
- Invariance to distortions
- Compactness
- Computational simplicity
- Reduction of complex multimedia objects
- Making indexing feasible

Reduction of dimensionality

- Allowing for fast search

Audio Identification

An audio fingerprint is a content-based compact signature that summarizes a piece of audio content

Requirements:

- Discriminative power
- Invariance to distortions
- Compactness
- Computational simplicity
- Computational efficiency
- Extraction of fingerprint should be simple
- Size of fingerprint should be small















voice codec



[Wang, ISMIR 2003]





Fingerprints (Shazam)





[Wang, ISMIR 2003]

Results (Shazam)

Test dataset of 10000 tracks Search time: 5 to 500 milliseconds



Conclusions (Shazam)

Many parameters to choose:

- Temporal and spectral resolution in spectrogram
- Peak picking strategy
- Target zone and fan-out parameter
- Hash function
- ...

[Wang, ISMIR 2003]

Conclusions (Audio Identification)

- Identifies audio recording (not piece of music)
- · Highly robust to noise, artifacts, deformations
- May even work to handle superimposed recordings
- Does not allow to identify studio recordings by query taken from live recordings
- Does not generalize to identify different interpretations of the same piece of music

Overview (Audio Retrieval)

 Audio identification (audio fingerprinting)

Audio matching



Cover song identification

Audio Matching

- Pickens et al. (ISMIR 2002)
- Müller/Kurth/Clausen (ISMIR 2005)
- Suyoto et al. (IEEE TASLP 2008)
- Kurth/Müller (IEEE TASLP 2008)

Audio Matching

Various interpretations - Beethoven's Fifth

Bernstein	
Karajan	
Scherbakov (piano)	
MIDI (piano)	

Audio Matching

Given: Large music database containing several

- recordings of the same piece of music
- interpretations by various musicians
- arrangements in different instrumentations

Goal: Given a short query audio clip, identify all

- corresponding audio clips of similar musical content
- irrespective of the specific interpretation and instrumentation
- automatically and efficiently

Query-by-Example paradigm

[Müller et al., ISMIR 2005]

Audio Matching

General strategy

- Normalized and smoothed chroma features

 correlate to harmonic progression
 - robust to variations in dynamics, timbre, articulation, local tempo
- Robust matching procedure
 - efficient
 - robust to global tempo variations
 - scalable using index structure

[Müller et al., ISMIR 2005]



Feature Design

Beethoven's Fifth: Bernstein

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0	2	4	6	8	10	12	14	16	18	20

Resolution: 10 features/second Feature window size: 200 milliseconds

Feature Design

Beethoven's Fifth: Bernstein vs. Sawallisch



Resolution: 10 features/second Feature window size: 200 milliseconds

Feature Design

Beethoven's Fifth: Bernstein



Resolution: 10 features/second Feature window size: 200 milliseconds

Feature Design

Beethoven's Fifth: Bernstein



Resolution: 1 features/second Feature window size: 4000 milliseconds

Feature Design

Beethoven's Fifth: Bernstein vs. Sawallisch



Resolution: 1 features/second Feature window size: 4000 milliseconds

Matching Procedure

Compute CENS feature sequences					
		-		× 1 9	N

- Database $D \rightsquigarrow F[D] = (v^1, v^2, \dots, v^N)$ • Query $Q \rightsquigarrow F[Q] = (w^1, w^2, \dots, w^M)$
- $N \approx 500000, M \approx 20$

 v^{i-1}	v^i	v^{i+1}	•••	v^{i+M-1}	v^{i+M}	
	w^1	w^2		w^M		

- $\Delta(i) := \texttt{local distance}((v^i, v^{i+1} \dots, v^{i+M-1}), (w^1, w^2, \dots, w^M))$
- \rightsquigarrow Global distance function $\ \Delta: [1:N] \rightarrow [0,1]$

Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Best audio matches: 1

Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Best audio matches: 3

Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Best audio matches: 2

Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Matching Procedure

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Global Tempo Variations

Query: Beethoven's Fifth / Bernstein, first 20 seconds Problem: Karajan is much faster \rightsquigarrow useless Δ Solution: Make Bernstein query faster and comute new Δ



Global Tempo Variations

Query: Beethoven's Fifth / Bernstein, first 20 seconds Problem: Karajan is much faster \leadsto useless Δ Solution?



Global Tempo Variations

Query: Beethoven's Fifth / Bernstein, first 20 seconds Problem: Karajan is much faster \rightsquigarrow useless Δ Solution: Compute Δ for various tempi



Global Tempo Variations

Query: Beethoven's Fifth / Bernstein, first 20 seconds Problem: Karajan is much faster \rightsquigarrow useless Δ Solution: Minimize over all resulting Δ 's $\rightsquigarrow \Delta^{min}$



Experiments

Query: Beethoven's Fifth / Bernstein, first 20 seconds



Experiments

Query: Shostakovich, Waltz/Chailly, first 27 seconds



Experiments

- Audio database > 110 hours, 16.5 GB
- Preprocessing ~~ CENS features, 40.3 MB
- Query clip pprox 20 seconds
- Query response time < 10 seconds

Experiments

Query: Beethoven's Fifth / Bernstein, first 20 seconds

Rank	Δ^{\min}	Piece	Position	
1	0.0114	Beethoven's Fifth/Bernstein	0 - 21	
2	0.0150	Beethoven's Fifth/Bernstein	101 - 122	
3	0.0438	Beethoven's Fifth/Karajan	86 - 103	
:	:	:	:	
10	0.1796	Beethoven's Fifth/Karajan	252 - 271	
11	0.1827	Beethoven (Liszt) Fifth/Scherbakov	0 - 19	
12	0.1945	Beethoven's Fifth/Sawallisch	275 - 296	
13	0.1970	Beethoven's Fifth (Liszt)/Scherbakov	86 - 103	
14	0.2169	Schumann op 97,1/Levine	28 - 43	
:	:	:	:	

Experiments

Query: Shostakovich, Waltz/Chailly, first 21 seconds

Rank	$\Delta^{\rm min}$	Piece	Position	
1	0.0172	Shostakovich/Chailly	0 - 21	
2	0.0505	Shostakovich/Chailly	41 - 60	
3	0.0983	Shostakovich/Chailly	180 - 198	
4	0.1044	Shostakovich/Yablonsky	1 - 19	
5	0.1090	Shostakovich/Yablonsky	36 - 52	
6	0.1401	Shostakovich/Yablonsky	156 - 174	
7	0.1476	Shostakovich/Chailly	144 - 162	
8	0.1626	Bach BWV 582/Chorzempa	358 - 373	
9	0.1668	Beethoven op 37,1/Toscanini	12 - 28	
10	0.1729	Beethoven op 37,1/Pollini	202 - 218	
÷	:	:	:	



Index-based Matching

Quantization

- Feature space $\mathcal{F} := \{ v \in [0, 1]^{12} \mid \|v\|_2 = 1 \}$
- Codebook selection of suitable size R

 $\{c_1,\ldots,c_R\}\subset\mathcal{F}$

Quantization using nearest neighbors

 $\mathcal{Q}[v] := \operatorname{argmin}_{r \in [1:R]} \operatorname{arccos}(\langle v, c_r \rangle)$

Index-based Matching

How to derive a good codebook?

- Codebook selection by unsupervised learning
 - Linde–Buzo–Gray (LBG) algorithm
 similar to k-means
 - adjust algorithm to st
 - adjust algorithm to spheres
- Codebook selection based on musical knowledge



Steps:

- 1. Initialization of
- codebook vectors
- 2. Assignment
- 3. Recalculation
- 4. Iteration (back to 2.)



Steps:



- Assignment
 Recalculation
- 4. Iteration (back to 2.)



- 3. Recalculation
- 4. Iteration (back to 2.)

Until convergence

4. Iteration (back to 2.)

3. Recalculation



eriments: For more then 95% of all chroma features >50% of energy lies in at most 4 components

n	1	2	3	4	
template	δj	$\frac{1}{\sqrt{2}}(\delta_{k_1}+\delta_{k_2})$	$\frac{1}{\sqrt{3}}(\delta_{r_1}+\delta_{r_2}+\delta_{r_3})$	$\frac{1}{\sqrt{4}}(\delta_{n_1}+\delta_{n_2}+\delta_{n_3}+\delta_{n_4})$	
#	12	66	220	495	793

Index-based Matching

Codebook using musical knowledge

Additional consideration of harmonics in chord templates

Example: 1-chord C

Harmonics	1	2	3	4	5	6
Pitch	C3	C4	G4	C5	E5	G5
Frequency	131	262	392	523	654	785
Chroma	С	С	G	С	Е	С

Replace δ_1 by $w_1\delta_1 + w_2\delta_1 + w_3\delta_8 + w_4\delta_1 + w_5\delta_5 + w_6\delta_8$ with suitable weights for the harmonics

Index-based Matching

Quantization

Orignal chromagram and projections on codebooks

Original

LBG-based

Model-based



Index-based Matching

Query and retrieval stage



- Query consists of a short audio clip (10-40 seconds)
 - Specification of fault tolerance setting
 - fuzzyness of query
 - number of admissable mismatches
 - tolerance to tempo variations
 - tolerance to modulations

Index-based Matching

Retrieval results

- Medium sized database
 - 500 pieces
 - 112 hours of audio
 - mostly classical music
- Selection of various queries
 - 36 queries
 - duration between 10 and 40 seconds
 - hand-labelled matches in database
- Indexing leads to speed-up factor between 15 and 20 (depending on query length)
- Only small degradation in precision and recall

Index-based Matching

Retrieval results



Conclusions (Index-based Matching)

- Described method suitable for medium-sized databases
 - index is assumed to be in main memory
 - inverted lists may be long
- Goal was to find all meaningful matches
 - high-degree of fault-tolerance required (fuzzyness, mismatches)
 - number of intersections and unions may explode
- What to do when dealing with millions of songs?
- Can the quantization be avoided?
- Better indexing and retrieval methods needed!
 - kd-trees
 - locality sensitive hashing
 - · ...

Conclusions (Audio Matching)

Strategy: Absorb variations at feature level

- Chroma ~→ invariance to timbre
- Normalization ~> invariance to dynamics
- Smoothing \rightsquigarrow invariance to local time deviations

Conclusions (Audio Matching)

Global matching procedure

- Strategy: Exact matching and multiple scaled queries
 - simulate tempo variations by feature resampling
 different queries correspond to different tempi
 - indexing possible
- Strategy: Dynamic time warping
 - subsequence variant
 - more flexible (in particular for longer queries)
 - indexing hard

Application: Audio Matching

📓 Plugin: Waveform Pletter/AudioMatching (Version 0.1, Build: Wed Jun 13 🚛 🗖 🕷	ResultView: Switcher (Version 0.14)	LO X
File Action ?		
I P II F F Switcher Structure		
0 min	way Directory Audio Blas	
	Beethoven_op067_1_symphony_5_bernstein_22050_mono.wav	08:38.00
	Reathcoven_op087_1_symphony_5_kegel_22050_meno.wav	07:42.00
E Rearch secula		
Genetriesens Seethoven on067 1 symphony 5 bernstein 22050 mono way	Beethoven_op067_1_symphony_5_karajan_22050_mono.wav	07:23.00
C Treffer Nr. 1 C Treffer Nr. 2		
e- CT Treffer Nr 9	Beethoven_op067_1_symphony_5_sawallisch_22050_mono.wav	08:00.00
- Beethoven_op067_1_symphony_5_kegel_22050_mone.way		
← 📑 Beethoven_op06?_1_cymphony_6_karajan_22050_mono.wav	Doothouse ap067 1 sumphons 6 liest since exhapping 23060 must	0.0302.00
► Beethoven_op067_1_symphony_5_sawallisch_22050_mono.wav	Beenioven_opuor_1_sympilony_5_iszt_plano_scheroakov_22050_inor	0.000025300
Isethoven_op067_1_symphony_5_list_piano_scherbakov_22050_mono.wav		
ResultView initialized successfully.	Track >1/7 Current Track Lenght 08:38.00	

Overview (Audio Retrieval)

- Audio identification (audio fingerprinting)
- Audio matching
- Cover song identification



Application: Audio Matching



Cover Song Identification

- Gómez/Herrera (ISMIR 2006)
- Casey/Slaney (ISMIR 2006)
- Serrà (ISMIR 2007)
- Ellis/Polioner (ICASSP 2007)
- Serrà/Gómez/Herrera/Serra (IEEE TASLP 2008)



Bob Dylan Knockin' on Heaven's Door	key	Avril Lavigne Knockin' on Heaven's Door	
Metallica Enter Sandman	timbre	Apocalyptica Enter Sandman	
Nirvana Poly [Incesticide Album]	tempo	Nirvana Poly [Unplugged]	
Black Sabbath Paranoid	lyrics	Cindy & Bert Der Hund Der Baskerville	
AC/DC High Voltage	recording conditions	AC/DC High Voltage [live]	
	song structure		

Song A

Song A

[Serrà et al., IEEE-TASLP 2009]



[Serrà et al., IEEE-TASLP 2009]

Cover Song Identification

How to compare two different songs?



- Feature computation
- Dealing with different keys

[Serrà et al., IEEE-TASLP 2009]



0.5

0

2 3

4

5 6 7 Shift index 89

10 11

- Composition of shifts: $\sigma^i(x) = \sigma(\sigma^{i-1}(x)), \ i \in \mathbb{Z}$
- Note: $\sigma^{12} = \sigma^0$



- Given chroma vectors $x, y \in \mathcal{F}$
- Fix a local cost measure $c: \mathcal{F} \times \mathcal{F} \to \mathbb{R}$
- Compute cost between x and shifted y



Cyclic Chroma Shifts

- Given chroma vectors $x, y \in \mathcal{F}$
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Cyclic Chroma Shifts

- Given chroma vectors $x,y\in \mathcal{F}$
- Fix a local cost measure $c: \mathcal{F} \times \mathcal{F} \to \mathbb{R}$
- Compute cost between x and shifted y
- Minimizing shift index: 3







Local Alignment

Note:

This problem is also known from bioinformatics. The Smith-Waterman algorithm is a well-known algorithm for performing local sequence alignment; that is, for determining similar regions between two nucleotide or protein sequences.

Strategy:

We use a variant of the Smith-Waterman algorithm.

Local Alignment

- Classical DTW Global correspondence between X and Y
- Subsequence DTW Subsequence of Y corresponds to X



Subsequence of Y corresponds to subequence of X

Local Alignment

Local Alignment

Computation of accumulated score matrix *D* from given binary similarity (score) matrix *S*

$$D(n,0) = D(0,m) = 0, \quad n \in [0:N], m \in [0:M]$$

$$D(n,m) = \max \begin{cases} 0 \\ D(n-1,m) - g \\ D(n,m-1) - g \\ D(n-1,m-1) + S(n,m) \end{cases}, \quad n,m > 0$$

- Zero-entry allows for jumping to any cell without penalty
- g penalizes``inserts'´ and ``delets'´ in alignment
- Best local alignment score is the highest value in D
- Best local alignment ends at cell of highest value
- Start is obtained by backtracking to first cell of value zero

Local Alignment

Example: Knockin' on Heaven's Door



Binary similarity matrix



Local Alignment



Example: Knockin' on Heaven's Door

Accumulated score matrix

Cell with max. score = 94.2

Alignment path of maximal score

Matching subsequences

Cover Song Identification

Query: Bob Dylan – Knockin' on Heaven's Door Retrieval result:

Rank	Recording	Score	
1.	Guns and Roses: Knockin' On Heaven's Door	94.2	
2.	Avril Lavigne: Knockin' On Heaven's Door	86.6	
3.	Wyclef Jean: Knockin' On Heaven's Door	83.8	
4.	Bob Dylan: Not For You	65.4	
5.	Guns and Roses: Patience	61.8	
6.	Bob Dylan: Like A Rolling Stone	57.2	
714.			

Cover Song Identification

Query: AC/DC – Highway To Hell Retrieval result:

Rank	Recording	Score	1
1.	AC/DC: Hard As a Rock	79.2	
2.	Hayseed Dixie: Dirty Deeds Done Dirt Cheap	72.9	
3.	AC/DC: Let There Be Rock	69.6	Ī
4.	AC/DC: TNT (Live)	65.0	Ī
511.			
12.	Hayseed Dixie: Highway To Hell	30.4	
13.	AC/DC: Highway To Hell Live (live)	21.0	
14.			

Conclusions (Audio Retrieval)

Retrieval task	Audio identification	Audio matching	Cover song identification
Identification	Concrete audio recording	Different interpretations	Different versions
Query	Short fragment (5-10 seconds)	Audio clip (10-40 seconds)	Entire song
Retrieval level	Subsequence	Subsequence	Document
Features	Spectral peaks (abstract)	Chroma (harmony)	Chroma (harmony)
Indexing	Hashing	Inverted lists	No indexing

Conclusions (Cover Song Identification)

- Harmony-based approach
- Binary cost measure a good trade-off between robustness and expressiveness
- Measure is suitable for document retrieval, but seems to be too coarse for audio matching applications
- Every song has to be compared with any other
 → method does not scale to large data collection
- What are suitable indexing methods?