

Please submit your solution as a PDF and source code together in a single tar/zip file, name your pdf file in the following format: "Lastname-Immatrikulationnumber-AssigmentX.pdf", also include Immatrikulationnumber in the title of your document and email it to atir16@mpi-inf.mpg.de before the due date mentioned above!

Effectiveness Measures for Novelty & Diversity (20 Points)

## Problem 1.

Two retrieval systems return the results given in the table on the left for an ambiguous query.

$\mid \mathbf{R}_1 \mid \mathbf{R}_2$	
$1.   d_1   d_4$	$ig  d_1 ig  d_2 ig  d_3 ig  d_4 ig  d_5 ig  d_6 ig  d_7 ig  d_8 ig  d_9$
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	<b>a</b> $  0   2   0   1   0   2   1   0   2$
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	<b>b</b>   1   0   1   0   1   0   2   1   2
5. $d_5$ $d_1$	

We further know that there are two query aspects  $\mathbf{a}$  and  $\mathbf{b}$  (each equally popular among users) and have collected the graded relevance assessments given in the table on the right.

- (a) Compute standard nDCG for the two retrieval results. Use the maximum of the two graded labels assigned to a document for the two query aspects as its unified graded label.
- (b) Compute intent-aware nDCG (nDCG-IA) for the two query results.
- (c) Compute  $\alpha$ -nDCG ( $\alpha = 0.5$ ) for the two query results. Use query aspects as information nuggets and treat documents with a graded label in  $\{1, 2\}$  as relevant.

### SUBMODULARITY (20 POINTS)

### Problem 2.

Carbonell and Goldstein [3] describe Maximum Marginal Relevance (MMR) as a greedy selection rule. Analogous to IA-Select by Agrawal et al. [1], we can alternatively cast MMR into the following optimization problem

$$\underset{S\subseteq R}{\operatorname{arg\,max}} \sum_{d\in S} \left( \lambda \cdot \sin(q, d) - (1 - \lambda) \cdot \max_{d' \in S, d' \neq d} \sin(d, d') \right) \quad \text{s.t.} \quad |S| = k$$

where R is the set of all documents, q is the query, and S denotes the selected set of k documents.

- (a) Is the objective function of the above optimization problem *submodular*? Prove your answer.
- (b) Does the greedy selection rule given in [1] thus provide an approximation guarantee?



# MAXIMUM MARGINAL RELEVANCE (PROGRAMMING ASSIGNMENT) (20 POINTS)

### Problem 3.

In the previous two assignments you already indexed TREC sample corups using elastic search. We now want to compare the results obtained by MMR for different choices of  $\lambda$ .

- (i) Implement Maximum Marginal Relevance (MMR). As a first step, determine the similarities sim(q, d) for the given query q (using the Okapi BM-25 scoring model). These documents constitute the set R from which you now select the subset S. The first document to be included in S is the one having highest sim(q, d). Now, include more documents in S using the greedy selection rule and computing sim(d, d') using the precomputed normalized vectors.
- (ii) Determine the top-10 results for the queries:
  - (a) Hubble Telescope Achievements
  - (b) African Civilian Deaths
  - (c) Implant Dentistry
  - (d) Radio Waves and Brain Cancer
  - (e) Alzheimer's Drug Treatment

using  $\lambda \in \{0.1, 0.5, 0.9, 1.0\}$ . Please compare the precision and nDCG values for the different  $\lambda$  values using the relevance judgments from "judgments.tsv" from the first assignment.