### 4 Exploiting Click Streams and Query Logs

4.1 Motivation

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### **Problem 2: Exploit Collective Human Input** for Automated Data(base Schema) Integration

"semantic" data integration is hoping for ontologies Opportunity: all existing DBs & apps already provide a large set of subjective mini-ontologies

Typical scenario for analyzing if A and B mean the same entity → compare their attributes, relationships, etc.

- → consider attribu DB schemas, instances & similar tables/d → consider instances d similar tables/d, • human annotations
- → compare usage correlations among tables, attr's, etc. in comparison to similar tables/docs of all known DBs

Challenge: How can we use knowledge about the collective designs of all DB apps in a large community?

## 4.2 Exploiting Click Streams

Simple idea: Modify HITS or Page-Rank algorithm by weighting edges with the relative frequency of users clicking on a link (as observed by DirectHit)

More sophisticated approach (Chen et al.:2002): Consider link graph A and link-visit matrix  $\hat{V}$  (V<sub>ii</sub>=1 if user i visits page j, 0 else) Define authority score vector:  $\mathbf{a} = \beta \mathbf{A}^{\mathrm{T}}\mathbf{h} + (1 - \beta)\mathbf{V}^{\mathrm{T}}\mathbf{u}$ hub score vector:  $h = \beta Aa + (1 - \beta)V^{T}u$ user importance vector:  $u = (1 - \beta)V(a+h)$ with a tunable parameter  $\beta$  ( $\beta$ =1: HITS,  $\beta$ =0: DirectHit)

claims to achieve higher precision than HITS, according to experimental results (with  $\beta$ =0.6) for some Webqueries such as ,,daily news": HITS top results: pricegrabber, gamespy, fileplanet, sportplanet, etc Chen et al. method: news.com, bbc, cnn, google, lycos, etc.

# Link Analysis based on Implicit Links (1) Apply simple data mining to browsing sessions of many users, where each session i is a sequence (pi1, pi2, ...) of visited pages: consider all pairs (pi, pi, i, pi, of successively visited pages, compute their total frequency f, and selected those with f above some min-support threshold Construct implicit-link graph with the selected page pairs as edges and their normalized total frequencies f as edge weights. Apply edge-weighted Page-Rank for authority scoring, and linear combination of relevance and authority for overall scoring.



## 4.3 Clustering Query Logs

Motivation:

- statistically identify FAQs (for intranets and portals), taking into account variations in query formulation
- · capture correlation between queries and subsequent clicks

#### Model/Notation:

a user session is a pair (q, D+) with a query q and D+ denoting the result docs on which the user clicked; len(q) is the number of keywords in q

## Similarity Measures between User Sessions

tf\*idf based similarity between query keywords only



### **Digression: K-Means Clustering Method**

Idea:

od:

· determine k prototype vectors, one for each cluster · assign each data record to the most similar prototype vector and compute new prototype vector (e.g. by averaging over the vectors assigned to a prototype) · iterate until clusters are sufficiently stable randomly choose k prototype vectors  $\vec{c}_1, ..., \vec{c}_k$ while not yet sufficiently stable do for i:=1 to n do assign di to cluster cj for which  $sim(\vec{d}_i, \vec{c}_i)$  is maximal od; for j:=1 to k do  $\vec{c}_j := \frac{1}{|c_j|} \sum_{\vec{d} \in c_j} \vec{d}$  od;







## **Experimental Studies**

performed on 20 000 queries against MS Encarta (an encyclopedia)

Observations:

- with sim threshold 1.0 the total number of clusters for the most popular 4500 queries (22%)
- was 400 for keyword sim and 200 for common-click sim
- combined keyword + common-click sim achieved best precision
  with sim threshold 0.6 the precision was above 90%
- (as intellectually assessed by "volunteers")

## 4.4 Exploiting Query Logs for Query Expansion

Given: user sessions of the form (q, D+),

and let  $,d\in D+$  " denote the event that d is clicked on We are interested in the correlation between words w in a query and w' in a clicked-on document:

 $P[w'|w] \coloneqq P[w' \in d \text{ for some } d \in d$ 

# $|w] := P[w' \in d \text{ for some } d \in D^+ | w \in q]$ $= \sum_{d \in D^+} P[w' \in d | d \in D^+] \cdot P[d \in D^+ | w \in q]$

Estimate from query log:

relative frequency of d being clicked on of w' in d when w appears in query

 $w \in q$ 

Expand query by adding top m words w' in desc. order of  $\prod P[w'|w]$ 

### Simple Alternative: Local Context Analysis based on Pseudo-Relevance Feedback

based on J. Xu and W.B. Croft: Improving the Effectiveness of Information Retrieval with Local Context Analysis, ACM TOIS Vol.18 No.1, 2000

Evaluate query q and extract from top k results: select top m words or noun phrases according to some tf\*idf-style measure

Expand q by adding the selected words or noun phrases (possibly with specific weights)

Experimental Evaluation								
on MS Encarta corpus, with 4 Mio. query log entries and 40 000 doc. subset								
Considers short queries and long phrase queries, e.g.:         Michael Jordan       Michael Jordan in NBA matches         genome project       Why is the genome project so crucial for humans?         Manhattan project       What is the result of Manhattan project on Word War II?         Windows       What are the features of Windows that Microsoft brings us?         (Phrases are decomposed into N-grams that are in dictionary)								
Avg. precision [70] at unreferit recall values.								
Short queries:				Long queries:				
Recall	q alone	LC	Query Log	Recall	q alone	LC	Query Log	
	(n=	100,m=3	30) (m=40)		(n=100,m=30) (m=40)			
10%	40.67	45.00	62.33	10%	46.67	41.67	57.67	
20%	27.00	32.67	44.33	20%	31.17	34.00	42.17	
30%	20.89	26.44	36.78	30%	25.67	27.11	34.89	
100%	8.03	13.13	17.07	100%	11.37	13.53	16.83	

### **Digression: Association Rules**

given:

a set of items  $I = \{x1, ..., xm\}$ 

a set D ={t1, ..., tn} of item sets (transactions) ti = {xi<sub>1</sub>, ..., xi<sub>k</sub>}  $\subseteq$  I

wanted:

rules of the form  $X \Longrightarrow Y$  with  $X \sqsubseteq I$  and  $Y \in I$  such that

• X is sufficiently often a subset of the item sets ti and

• when  $X \subseteq$  ti then most frequently  $Y \in$  ti holds, too.

support  $(X \Rightarrow Y) = P[XY]$  = relative frequency of item sets that contain X and Y confidence  $(X \Rightarrow Y) = P[Y|X]$  = relative frequency of item sets that contain Y provided they contain X

support is usually chosen in the range of 0.1 to 1 percent, confidence (aka. strength) in the range of 90 percent or higher



### **Apriori Algorithm: Idea and Outline**

Idea and outline:

- proceed in phases i=1, 2, ..., each making a single pass over D, and generate rules  $X \Rightarrow Y$
- with frequent item set X (sufficient support) and |X|=i in phase i; • use phase i-1 results to limit work in phase i:
- *antimonotonicity property (downward closedness):* for i-item-set X to be frequent, each subset X' ⊆ X with |X'|=i-1 must be frequent, too
- generate rules from frequent item sets;
- test confidence of rules in final pass over D

Worst-case time complexity is exponential in I and linear in D\*I, but usual behavior is linear in D (detailed average-case analysis is very difficult)

## **Apriori Algorithm: Pseudocode**

```
 \begin{array}{l} \textbf{procedure apriori (D, min-support):} \\ L_1 = frequent 1-itemsets(D); \\ for (k=2; L_{k,1} \neq \varnothing; k++) \left\{ \\ C_k = apriori-gen (L_{k,1}, min-support); \\ for each t \in D \left\{ // \text{ linear scan of } D \\ C_t = \text{subsets of } t \text{ that are in } C_k; \\ for each candidate c \in C_t \left\{ 2.ccount++ \right\}; \right\}; \\ L_k = \left\{ c \in C_k \mid c.count \ge \min\text{-support} \right\}; \\ return L = \cup_k L_k; // returns all frequent item sets \\ \end{array}
```

### **Algorithmic Extensions and Improvements**

- hash-based counting (computed during very first pass): map k-itemset candidates (e.g. for k=2) into hash table and maintain one count per cell; drop candidates with low count early
  remove transactions that don't contain frequent k-itemset
- for phases k+1, ... • partition transactions D:
- an itemset is frequent only if it is frequent in at least one partition
  exploit parallelism for scanning D
- randomized (approximative) algorithms:
- find all frequent itemsets with high probability (using hashing etc.) • sampling on a randomly chosen subset of D
- •••

mostly concerned about reducing disk I/O cost (for TByte databases of large wholesalers or phone companies)

# Extensions and Generalizations of Assocation Rules

quantified rules: consider quantitative attributes of item in transactions (e.g. wine between \$20 and  $50 \Rightarrow$  cigars, or age between 30 and  $50 \Rightarrow$  married, etc.) constrained rules: consider constraints other than count thresholds, e.g. count itemsets only if average or variance of price exceeds .... generalized aggregation rules: rules referring to aggr. functions other than count, e.g.,  $sum(X.price) \Rightarrow avg(Y.age)$ multilevel association rules: considering item classes (e.g. chips, peanuts, bretzels, etc. belonging to class snacks) sequential patterns (e.g. an itemset is a customer who purchases books in some order, or a tourist visiting cities and places) from strong rules to interesting rules: consider also lift (aka. interest) of rule  $X \Rightarrow Y: P[XY] / P[X]P[Y]$ correlation rules causal rules

### **Correlation Rules**

example for strong, but misleading association rule: tea ⇒ coffee with confidence 80% and support 20% but support of coffee alone is 90%, and of tea alone it is 25% → tea and coffee have negative correlation ! consider contingency table (assume n=100 transactions):

$$\frac{\begin{array}{c|c} T & \neg T \\ \hline C & 20 & 70 \\ \hline \neg C & 5 & 5 \\ \hline 25 & 75 \\ \chi^2(C,T) = \sum_{X \in \{C,\overline{C}\}} \sum_{Y \in \{T,\overline{T}\}} (\frac{(\operatorname{freq}(X \wedge Y) - \operatorname{freq}(X)\operatorname{freq}(Y)/n)^2}{\operatorname{freq}(X)\operatorname{freq}(Y)/n}$$

correlation rules are monotone (upward closed): if the set X is correlated then every superset  $X^*\supseteq X$  is correlated, too.



## Frequent Itemset and Correlated Itemsets Applied to Query Logs

Infer from user sessions of the form (q, D+) where q is a set of words association rules of the form:  $w_1$  and  $w_2 => w_3$ 

Infer from user sessions of the form (q, D+) where q is a set of ,,signed" (positive or negative) words correlation rules of the form:  $sign_1 w_1$  and  $sign_2 w_2 => sign_3 w_3$ 

where  $sign_i$  is either + or - and indicates positive or negative correlation

Expand new query with word set W by right-hand sides r of association rules  $L \Longrightarrow r$  for which  $L \sqsubseteq W$ 

## Literature

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