VI.3 Rule-Based Information Extraction

- <u>Goal</u>: Identify and extract **unary**, **binary**, **or** *n***-ary relations as facts** embedded in **regularly structured text**, to generate entries in a schematized database
- Rule-driven regular expression matching
 - Interpret documents from source (e.g., Web site to be wrapped) as **regular language**, and specify/infer rules for matching specific types of facts



Year 1994
1994
1972
1974
1994
1966
1 1 1

LR Rules

- L token (left neighbor)fact tokenR token (right neighbor)pre-filler patternfiller patternpost-filler pattern
- Example: $\mathbf{L} = \langle B \rangle, \mathbf{R} = \langle /B \rangle$ $\rightarrow Country$ $\mathbf{L} = \langle I \rangle, \mathbf{R} = \langle /I \rangle$ $\rightarrow Code$ produces relation with tuples <Congo, 242>, <Egypt, 20>, <France, 30>
- Rules are often very specific and therefore combined/generalized
- Full details: RAPIER [Califf and Mooney '03]

Advanced Rules: HLRT, OCLR, NHLRT, etc.

• <u>Idea</u>: Limit application of LR rules to proper context (e.g., to skip over HTML table header)

<TABLE> <TR><TH>Country</TH><TH><I>Code</I></TH></TR> <TR><TD>Congo</TD><TD><I>242</I></TD></TR> <TR><TD>Egypt</TD><TD><I>20</I></TD></TR> <TR><TD>France</TD><TD><I>30</I></TD></TR> </TABLE>

- HLRT rules (head left token right tail) apply LR rule only if inside HT (e.g., H = <TD> T = </TD>)
- OCLR rules (open (left token right)* close): O and C identify tuple, LR repeated for individual elements
- NHLRT (nested HLRT): apply rule at current nesting level, open additional levels, or return to higher level

Learning Regular Expressions

- <u>Input</u>: Hand-tagged examples of a regular language
- <u>Learn</u>: (Restricted) regular expression for the language of a finite-state transducer that reads sentences of the language and outputs token of interest
- <u>Example</u>:

This apartment has 3 bedrooms. $\langle BR \rangle$ The monthly rent is \$ 995. This apartment has 4 bedrooms. $\langle BR \rangle$ The monthly rent is \$ 980. The number of bedrooms is 2. $\langle BR \rangle$ The rent is \$ 650 per month.

yields * <digit> * "
" * "\$" <digit>+ * as learned pattern

- <u>Problem</u>: Grammar inference for full-fledged regular languages is hard. Focus therefore often on restricted class of regular languages.
- Full details: WHISK [Soderland '99]

Properties and Limitations of Rule-Based IE

- Powerful for wrapping **regularly structured web pages** (e.g., template-based from same deep web site)
- Many **complications** with real-life HTML (e.g., misuse of tables for layout)
- Flat view of input limits the same annotation
 - Consider hierarchical document structure (e.g., DOM tree, XHTML)
 - Learn extraction patterns for restricted regular languages (e.g., combinations of XPath and first-order logic)
- Regularities with exceptions are difficult to capture
 - Learn positive and negative cases (and use statistical models)

Additional Literature for VI.3

- M. E. Califf and R. J. Mooney: *Bottom-Up Relational Learning of Pattern Matching Rules for Information Extraction*, JMLR 4:177-210, 2003
- S. Soderland: Learning Information Extraction Rules for Semi-Structured and Free *Text*, Machine Learning 34(1-3):233-272, 1999

VI.4 Learning-Based Information Extraction

- For heterogeneous sources and for natural-language text
 - NLP techniques (PoS tagging, parsing) for tokenization
 - Identify patterns (regular expressions) as features
 - **Train statistical learners** for segmentation and labeling (e.g., HMM, CRF, SVM, etc.) augmented with lexicons
 - Use learned model to **automatically tag** new input sequences
- <u>Training data</u>:

The WWW conference takes place in Banff in Canada Today's keynote speaker is Dr. Berners-Lee from W3C The panel in Edinburgh chaired by Ron Brachman from Yahoo!

with event, location, person, and organization annotations

IE as Boundary Classification

• <u>Idea</u>: Learn classifiers to **recognize start token** and **end token** for the facts under consideration. Combine multiple classifiers (ensemble learning) for more robust output.

Example: There will be a talk by Alan Turing at the University at 4 PM. ↑ ↓ ↑ ↓ ↑ ↓ Prof. Dr. James Watson will speak on DNA at MPI at 6 PM. ↑ ↓ ↑ ↓ ↑ ↓ The lecture by Francis Crick will be in the IIF at 3 PM. ↑ ↓ ↑ ↓ ↓

• Classifiers test each token (with PoS tag, LR neighbor tokens, etc. as features) for two classes: begin-fact, end-fact

Text Segmentation and Labeling

- <u>Idea</u>: Observed text is concatenation of structured record with limited reordering and some missing fields
- <u>Example</u>: Addresses and bibliographic records



• <u>Source</u>: [Sarawagi '08]

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Hidden Markov Models (HMMs)

- Assume that the observed text is generated by a **regular grammar** with some probabilistic variation (i.e., stochastic FSA = **Markov Model**)
- Each state corresponds to a category (e.g., noun, phone number, person) that we seek to label in the observed text
- Each state has a known probability distribution over words that can be output by this state
- The objective is to **identify the state sequence** (from a start to an end state) with **maximum probability of generating the observed text**
- Output (i.e., observed text) is known, but the state sequence cannot be observed, hence the name *Hidden* Markov Model

Hidden Markov Models

- Hidden Markov Model (HMM) is a discrete-time, finite-state Markov model consisting of
 - state space $S = \{s_1, ..., s_n\}$ and the state in step *t* is denoted as X(t)
 - initial state probabilities p_i (i = 1, ..., n)
 - transition probabilities $p_{ij}: S \times S \rightarrow [0,1]$, denoted $p(s_i \rightarrow s_j)$
 - output alphabet $\Sigma = \{w_1, ..., w_m\}$
 - state-specific output probabilities $q_{ik} : S \times \Sigma \rightarrow [0,1]$, denoted $q(s_i \uparrow w_k)$
- Probability of emitting output sequence $o_1, ..., o_T \in \Sigma^T$ $\sum_{x_1,...,x_T \in S} \prod_{i=1}^T p(x_{i-1} \to x_i) q(x_i \uparrow o_i) \text{ with } p(x_0 \to x_i) = p(x_i)$

HMM Example

• <u>Goal</u>: Label the tokens in the sequence *Max-Planck-Institute, Stuhlsatzenhausweg 85* with the labels **Name, Street, Number**

 $\Sigma = \{\text{``MPI'', ``St.'', ``85''}\}$ S = {Name, Street, Number} $p_i = \{0.6, 0.3, 0.1\}$





Three Major Issues with HMMs

- Compute **probability of output sequence** for known parameters
 - Forward/Backward computation
- Compute **most likely state sequence** for given output and known parameters (decoding)
 - Viterbi algorithm (using dynamic programming)
- Estimate parameters (transition probabilities and output probabilities) from training data (output sequences only)
 - **Baum-Welch algorithm** (specific form of Expectation Maximization)

• <u>Full details</u>: [Rabiner '90]

Forward Computation

- Probability of emitting output sequence $o_1, ..., o_T \in \Sigma^T$ is $\sum_{x_1,...,x_T \in S} \prod_{i=1}^T p(x_{i-1} \to x_i) q(x_i \uparrow o_i) \text{ with } p(x_0 \to x_i) = p(x_i)$
- Naïve computation would require $O(n^T)$ operations!
- Iterative forward computation with clever caching and reuse of intermediate results ("memoization") requires $O(n^2 T)$ operations
 - Let $\alpha_i(t) = P[o_1, ..., o_{t-1}, X(t) = i]$ denote the probability of being in state *i* at time *t* and having already emitted the prefix output $o_1, ..., o_{t-1}$
 - <u>Begin</u>: $\alpha_i(1) = p_i$
 - <u>Induction</u>: $\alpha_j(t+1) = \sum_{i=1} \alpha_i(t) p(s_i \to s_j) p(s_i \uparrow o_t)$

n

Backward Computation

- Probability of emitting output sequence $o_1, ..., o_T \in \Sigma^T$ is $\sum_{x_1,...,x_T \in S} \prod_{i=1}^T p(x_{i-1} \to x_i) q(x_i \uparrow o_i) \text{ with } p(x_0 \to x_i) = p(x_i)$
- Naïve computation would require $O(n^T)$ operations!
- Iterative backward computation with clever caching and reuse of intermediate results ("memoization")
 - Let $\beta_i(t) = P[o_{t+1}, ..., o_T, X(t) = i]$ denote the probability of being in state *i* at time *t* and having already emitted the suffix output $o_{t+1}, ..., o_T$
 - <u>Begin</u>: $\beta_i(T) = 1$

• Induction:
$$\beta_j(t-1) = \sum_{i=1}^{\infty} \beta_i(t) p(s_j \to s_i) p(s_i \uparrow o_t)$$

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Trellis Diagramm for HMM Example





Larger HMM for Bibliographic Records



• <u>Source</u>: [Chakrabarti '09]

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Viterbi Algorithm

- <u>Goal</u>: Identify state sequence $x_1, ..., x_T$ most likely of having generated the observed output $o_1, ..., o_T$
- Viterbi algorithm (dynamic programming)

 $\delta_i(1) = p_i$ // highest probability of being in state *i* at step 1 $\psi_i(1) = 0$ // highest-probability predecessor of state *i*

for
$$t = 1, ..., T$$

$$\delta_j(t+1) = \max_{i=1,...,n} \delta_i(t) p(x_i \to x_j) q(x_i \uparrow o_t) // \text{ probability}$$

$$\psi_j(t+1) = \arg_{i=1,...,n} \delta_i(t) p(x_i \to x_j) q(x_i \uparrow o_t) // \text{ state}$$

• Most likely state sequence can be obtained by means of **backtracking** through the memoized values $\delta_i(t)$ and $\psi_i(t)$

Training of HMMs

• <u>Simple case</u>: If **fully tagged training sequences** are available, we can use MLE to estimate the parameters

$$p(s_i \to s_j) = \frac{\# \text{ transitions } s_i \to s_j}{\sum_{s_k} \# \text{ transitions } s_i \to s_k}$$

$$q(s_i \to w_k) = \frac{\# \text{ outputs } s_i \to w_k}{\sum_{w_l} \# \text{ outputs } s_i \to w_l}$$

- <u>Standard case</u>: Training with **unlabeled sequences** (i.e., observed output only, state sequence is unknown)
 - **Baum-Welch algorithm** (variant of Expectation Maximization)
- <u>Note</u>: There exists some work on learning the structured of HMMs (# states, connections, etc.), but this remains very difficult and computationally expensive

Problems and Extensions of HMMs

- Individual output letters/words may not show learnable patterns
 - output words can be entire lexical classes (e.g., numbers, zip code, etc.)
- Geared for flat sequences, not for structured text documents
 - use **nested HMMs** where each state can hold another HMM
- Cannot capture **long-range dependencies** (Markov property) (e.g., in addresses: with first word being "Mr." or "Mrs.", the probability of seeing a P.O. box later decreases substantially)
- Cannot easily incorporate multiple **complex word features** (e.g., isYear(w), isDigit(w), allCaps(w), etc.)
 - Conditional Random Fields (CRFs) address these limitations

Additional Literature for VI.4

- S. Chakrabarti: *Extracting, Searching, and Mining Annotations on the Web*, Tutorial, WWW 2009 (<u>http://www2009.org/pdf/T10-F%20Extracting.pdf</u>)
- L. R. Rabiner: A Tutorial on Hidden Markov Models and Selected Applications in Speech Recognition, Readings in Speech Recognition, 1990

VI.5 Named Entity Reconciliation

- <u>Problem 1</u>: Same entity appears in
 - Different **spellings** (incl. misspellings, abbreviations, etc.) (e.g., *brittnee spears* vs. *britney spears*)
 - Different **levels of completeness** (e.g., *joe hellerstein* vs . *prof. joseph m. hellerstein*)
- <u>Problem 2</u>: Different entities happen to look the same (e.g., *george w. bush* vs. *george h. w. bush*)
- Problems even occur in **structured databases** and require **data cleaning** when integrating multiple databases
- Integrating heterogeneous databases or Deep Web sources also requires **schema matching** (aka. data integration)

Entity Reconciliation Techniques

- Edit distance measures (both strings and records)
- Exploit **context information** for higher-confidence matchings (e.g., publications/co-authors of Dave Dewitt and D. J. DeWitt)
- Exploit **reference dictionaries** as ground truth (e.g., for address cleaning)
- Propagate matching confidence values in link-/reference-based **graph structure**
- Statistical learning in (probabilistic) graphical models (also: joint disambiguation of multiple mentions onto most compact/consistent set of entities)

Entity Reconciliation by Matching Functions

- Fellegi-Sunter Model as framework for entity reconciliation Input: Two sets A and B of strings or records each with features (e.g., n-grams, attributes, etc.)
- <u>Method</u>:
 - Define family $\gamma_i : A \times B \rightarrow \{0,1\}$ (i = 1, ..., k) of attribute comparisons or similarity tests (aka. matching functions)
 - Identify matching pairs $M \subseteq A \times B$ and non-matching pairs $U \subseteq A \times B$ as training data and compute $m_i = P[\gamma_i(a,b) = 1 | (a,b) \in M]$ and $u_i = P[\gamma_i(a,b) = 1 | (a,b) \in U]$
 - For pairs (a,b) $\in A \times B \setminus (M \cup U)$, consider a and b equivalent if $\sum_{i=1}^{k} \frac{m_i}{u_i} \cdot \gamma_i(a,b) \ge \tau \quad \text{for user-defined threshold } \tau$
- <u>Full details</u>: [Fellegi and Sunter '69]

Additional Literature for VI.5

• I. Fellegi and A. Sunter: *A Theory for Record Linkage*, Journal of the American Statistical Association 64(328):1183-1210, 1969