

# Beyond classical circuit design

## lecture 7

Gate internals continued

# Further Reading

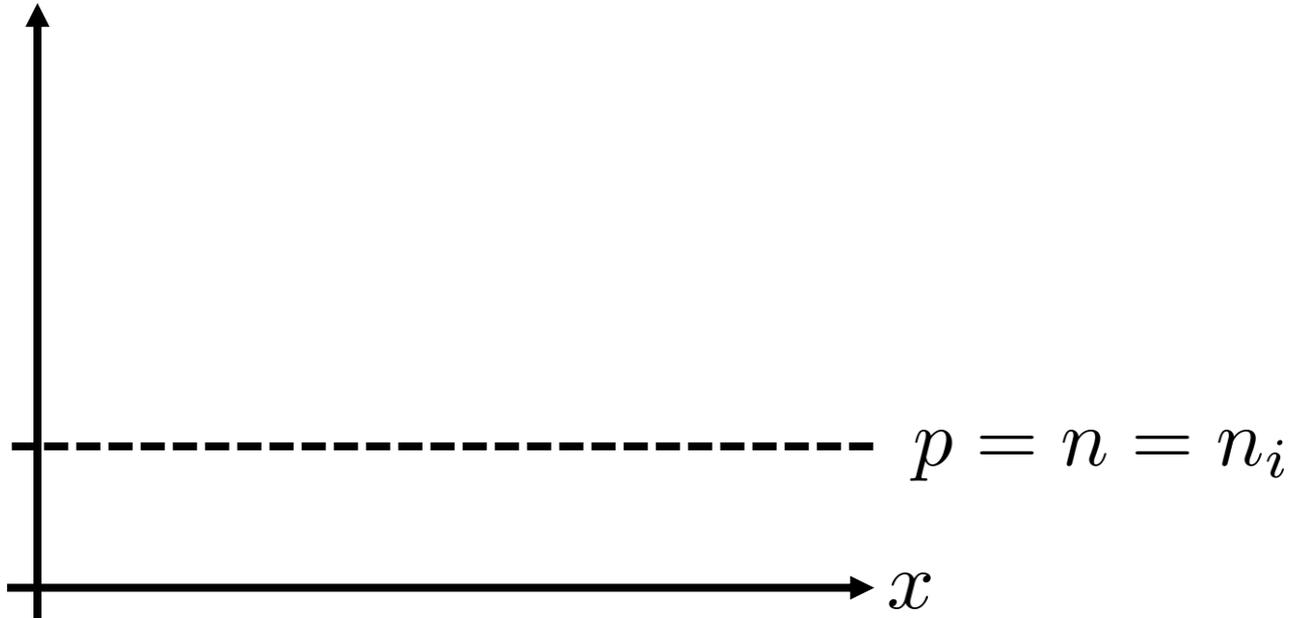
Simon M. Sze, Kwok K. Ng: *Physics of Semiconductor Devices*. 3<sup>rd</sup> edition. Wiley, 2006.

Jan M. Rabaey, Anantha Chandrakasan, Borivoje Nikolic: *Digital Integrated Circuits. A Design Perspective*. 2<sup>nd</sup> edition. Prentice Hall, 2003.

# Carrier densities

semiconductor at thermal equilibrium

log(carrier density)

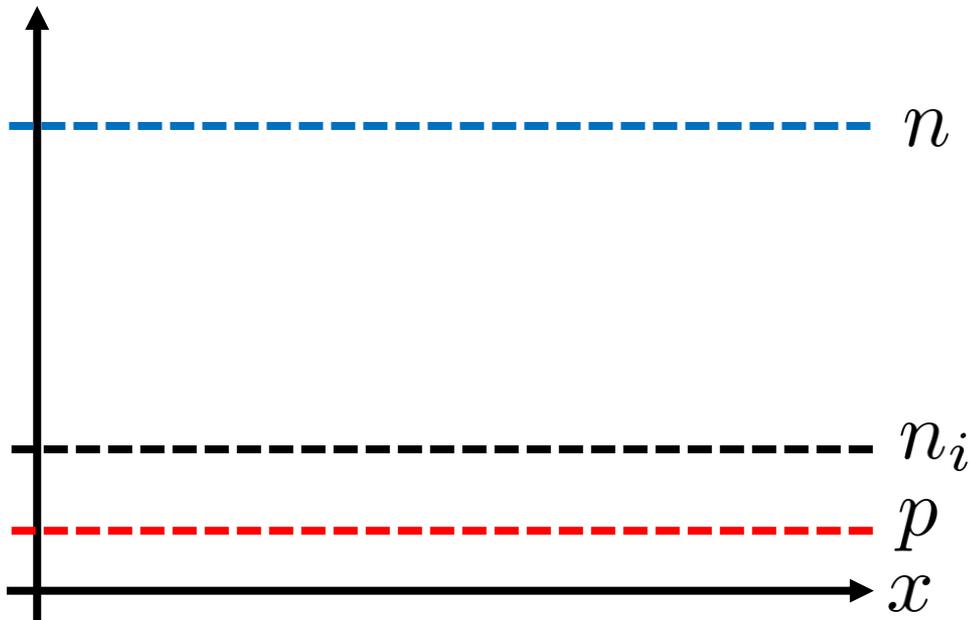


# Carrier densities

adding donor atoms  $\rightarrow$  n-doped semiconductor  
 $\rightarrow$  free e-



log(carrier density)



mass-action law

$$pn = n_i^2$$

charge neutrality

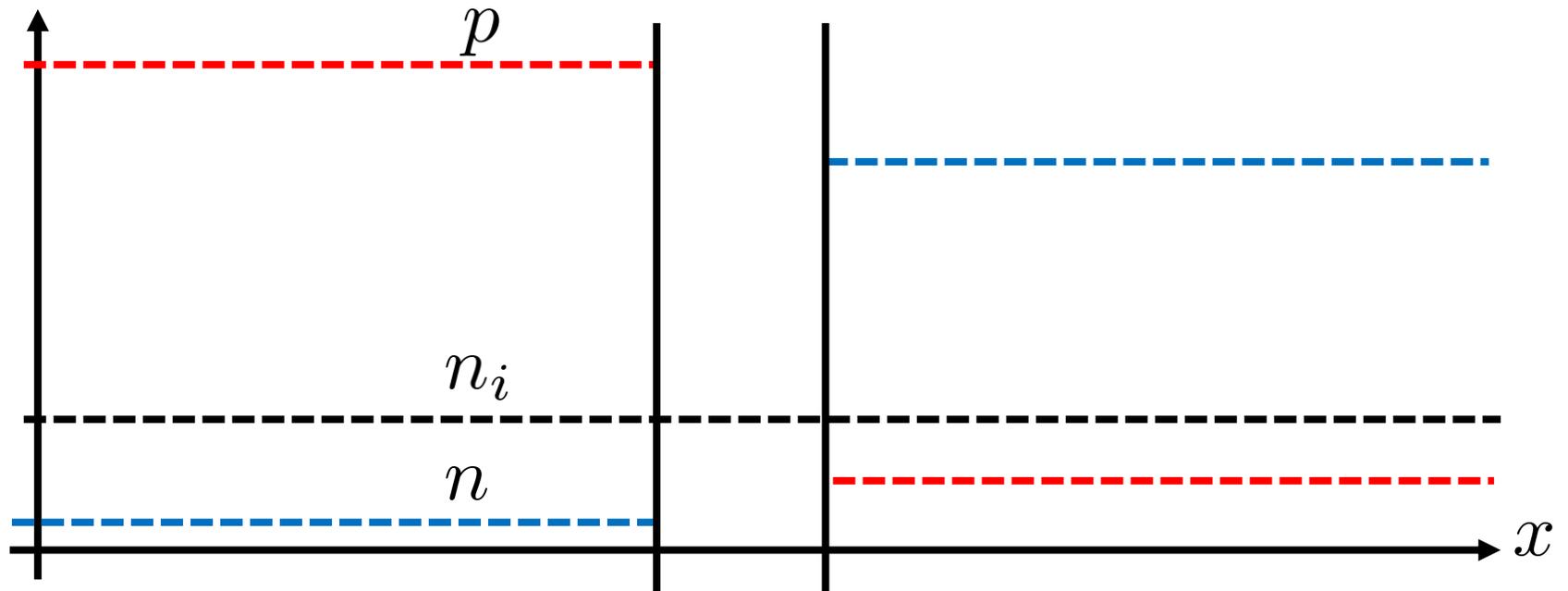
$$n + N_A^- = p + N_D^+$$

# Carrier densities

p+ -doped & n -doped



log(carrier density)

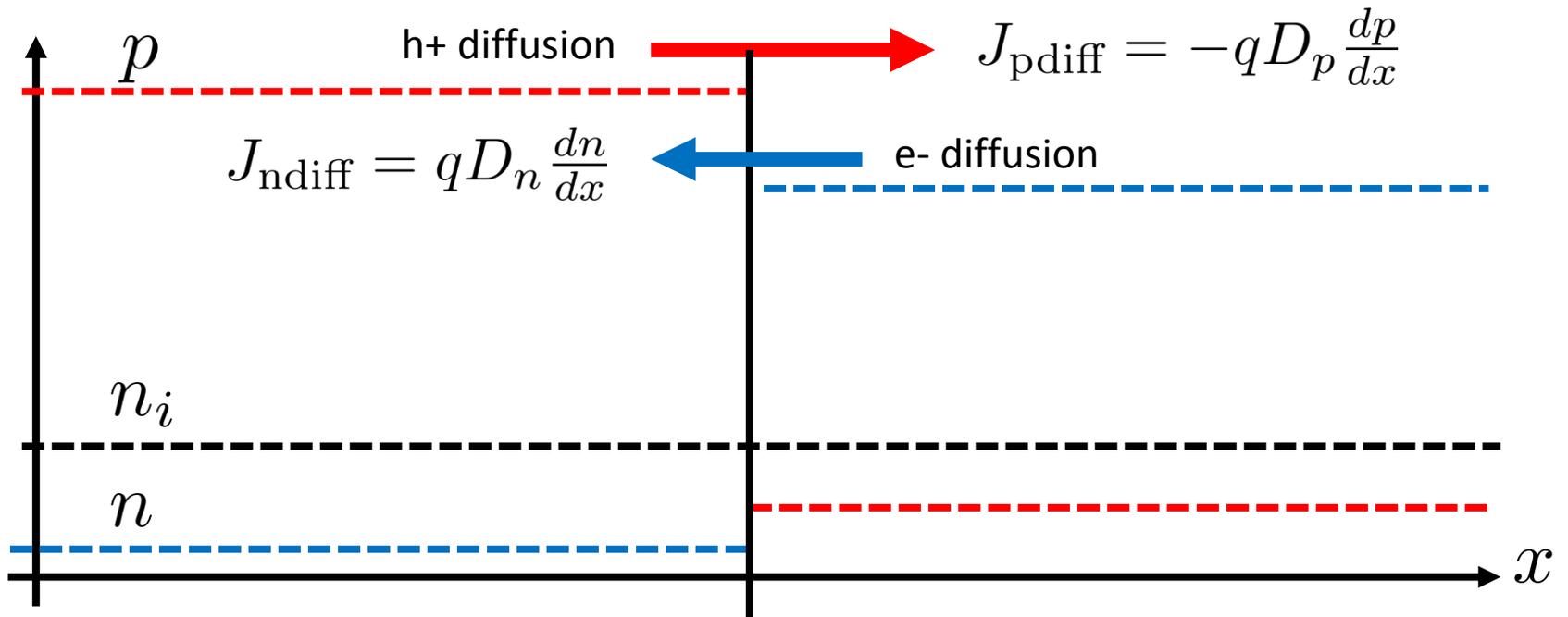


# Diffusion

merging p+ -doped & n -doped



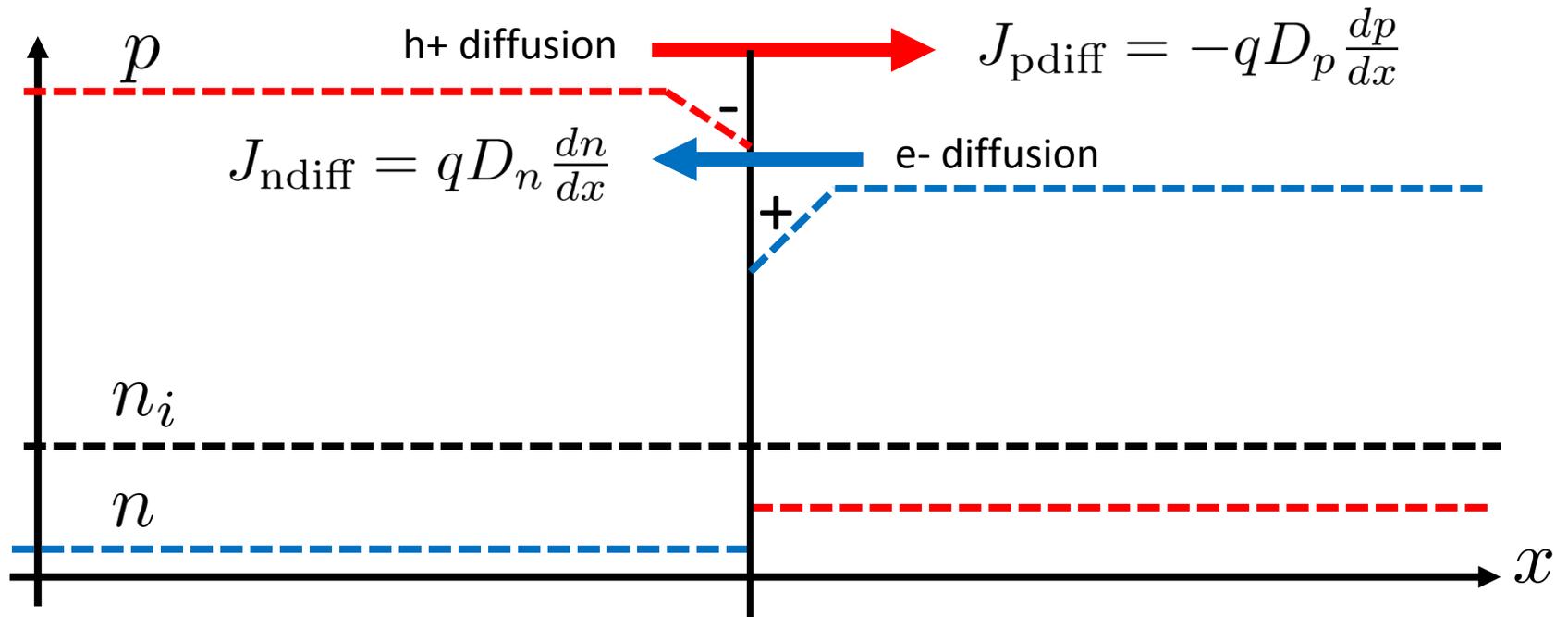
log(carrier density)



# Diffusion

merging p+ -doped & n -doped

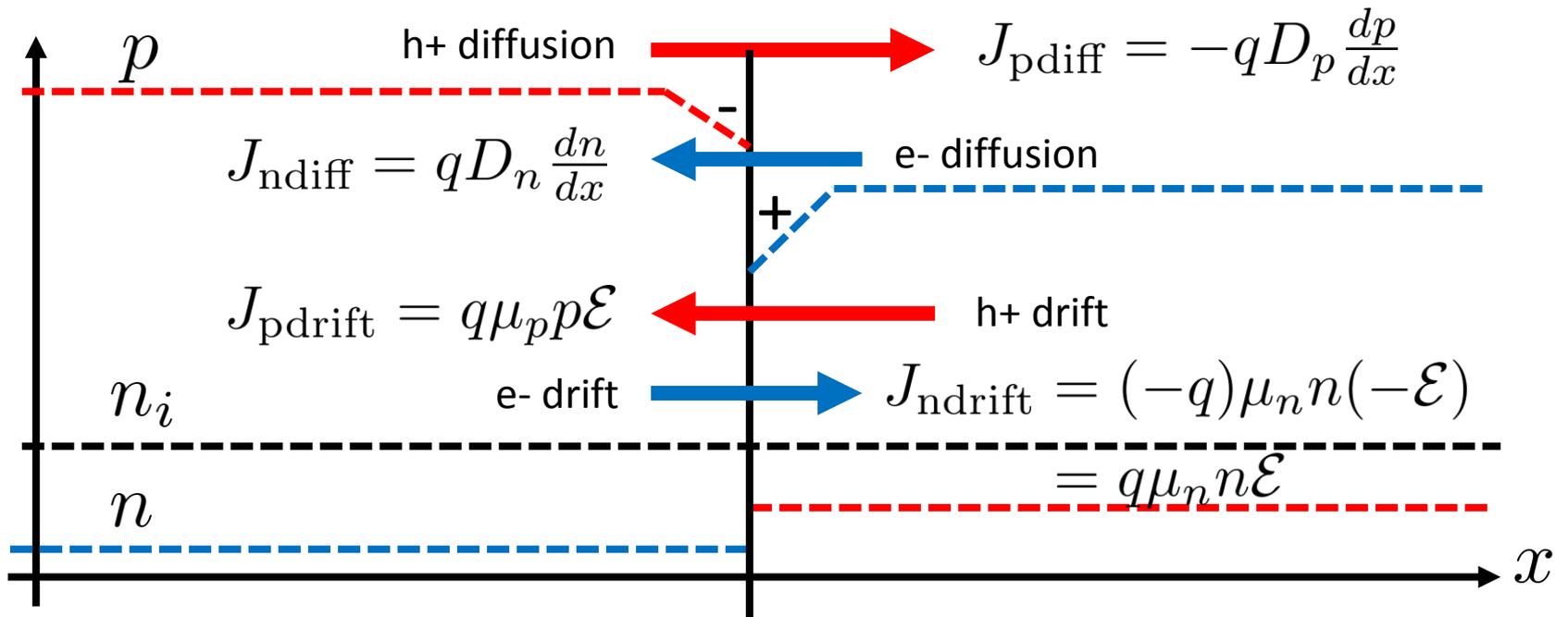
log(carrier density)



# Drift

merging p+ -doped & n -doped

log(carrier density)



# Equilibrium carrier densities

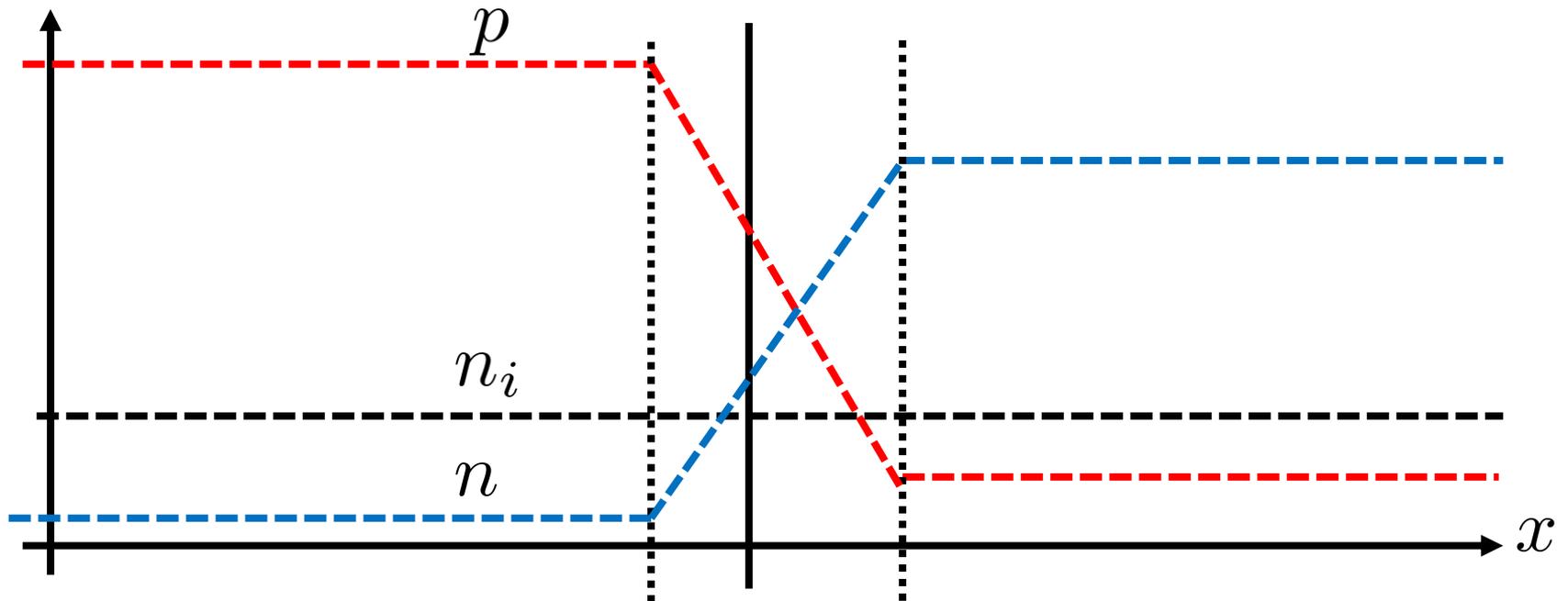
merging p+ -doped & n -doped

log(carrier density)

equilibrium

$$J_{p\text{diff}} = J_{p\text{drift}}$$

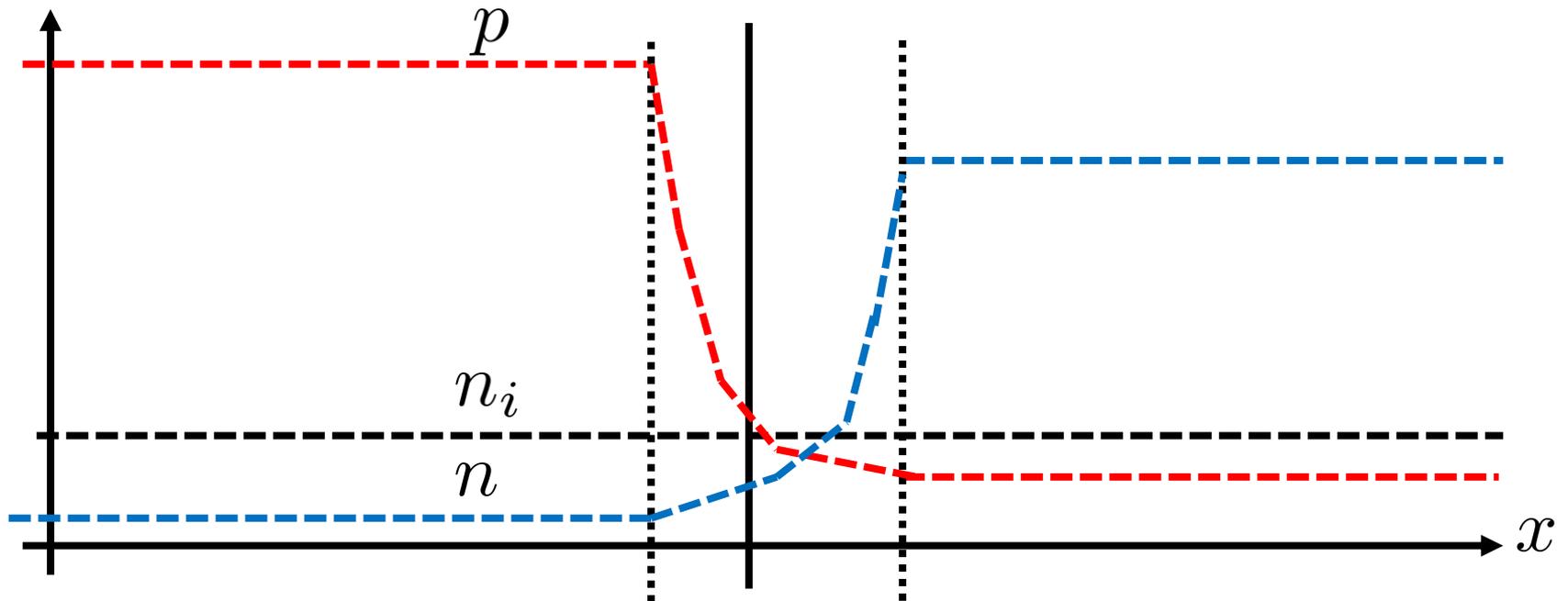
$$J_{n\text{diff}} = J_{n\text{drift}}$$



# Carrier densities

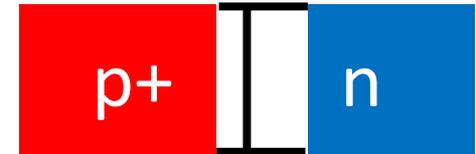
merging p+ -doped & n -doped

carrier density

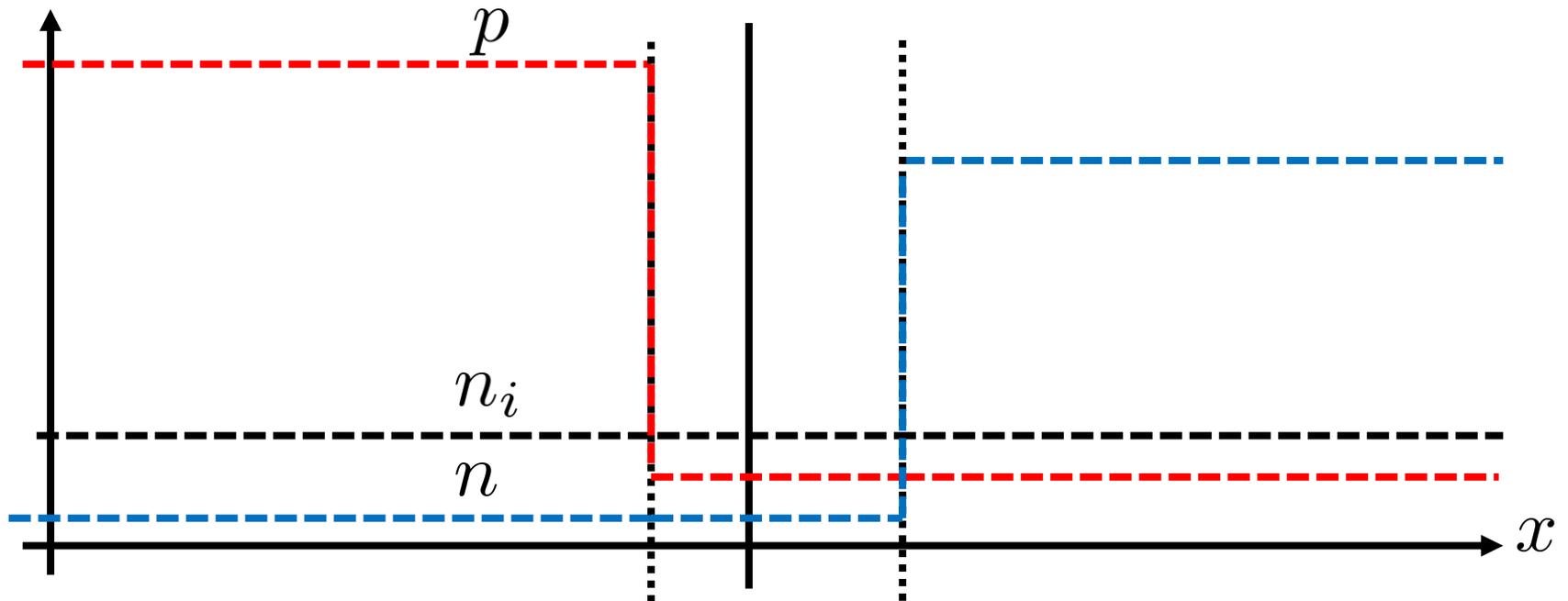


# Carrier densities

A1. box profile approximation



carrier density



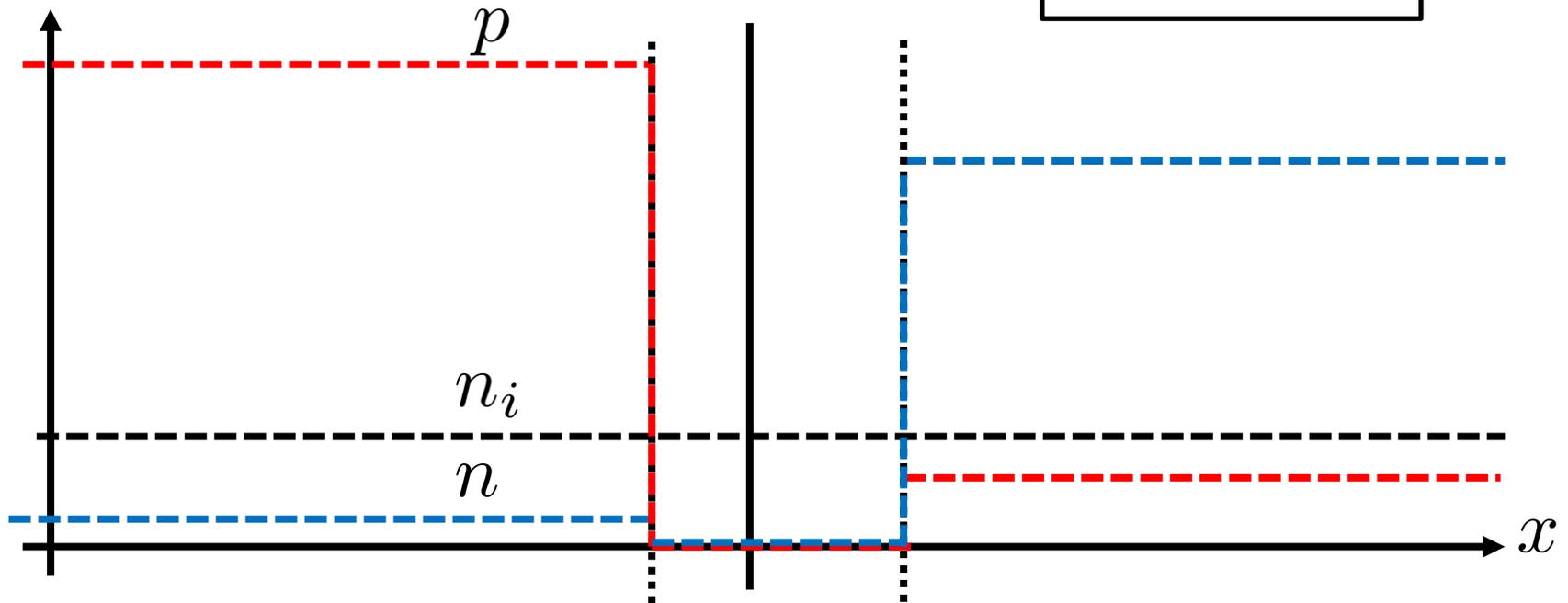
# Carrier densities

A2. depletion region: no free carriers

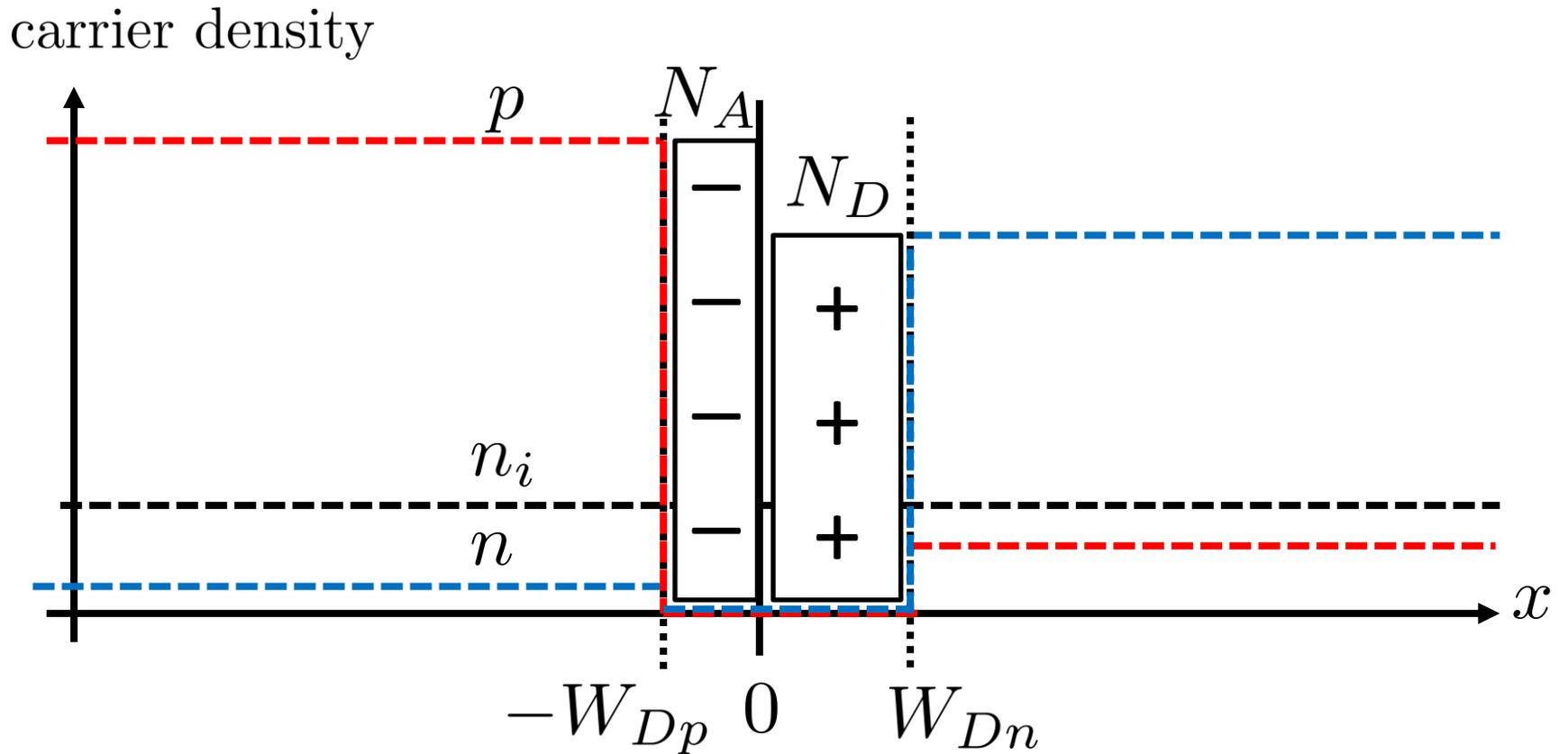
$$n = p = 0$$

A3. all donors/acceptors ionized  
carrier density

$$N_D^+ = N_D$$
$$N_A^- = N_A$$



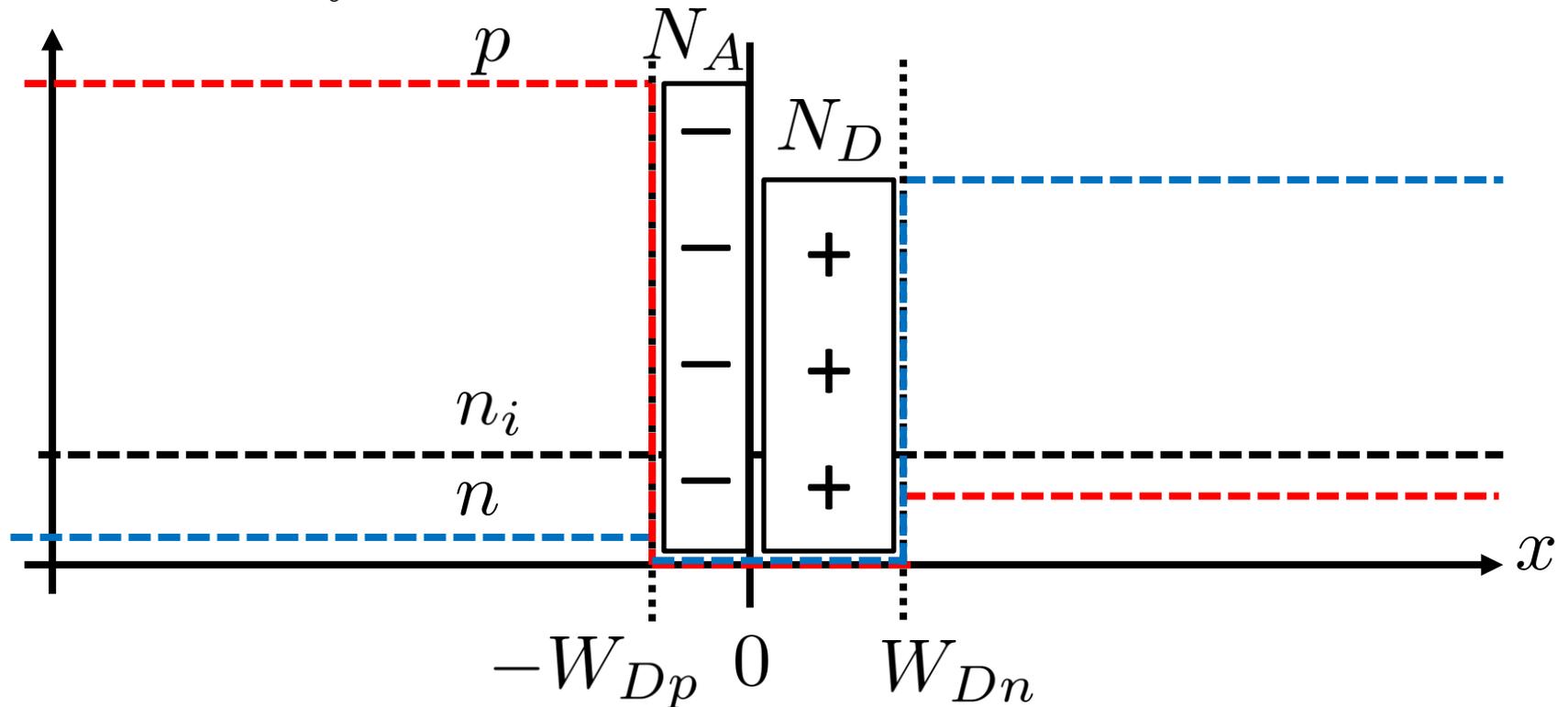
# Carrier densities



# Carrier densities

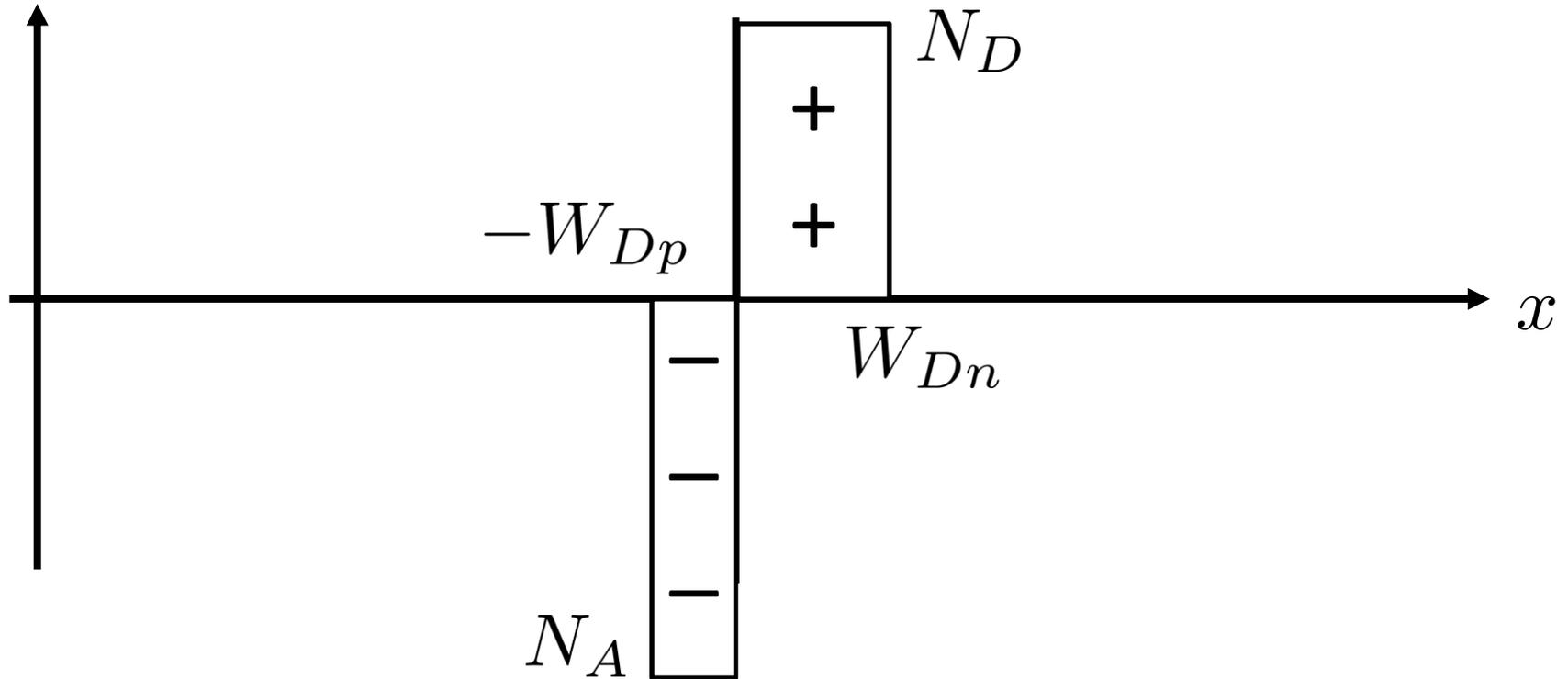
$$\text{neutrality } N_D W_{Dn} = N_A W_{Dp}$$

carrier density



# Charge density

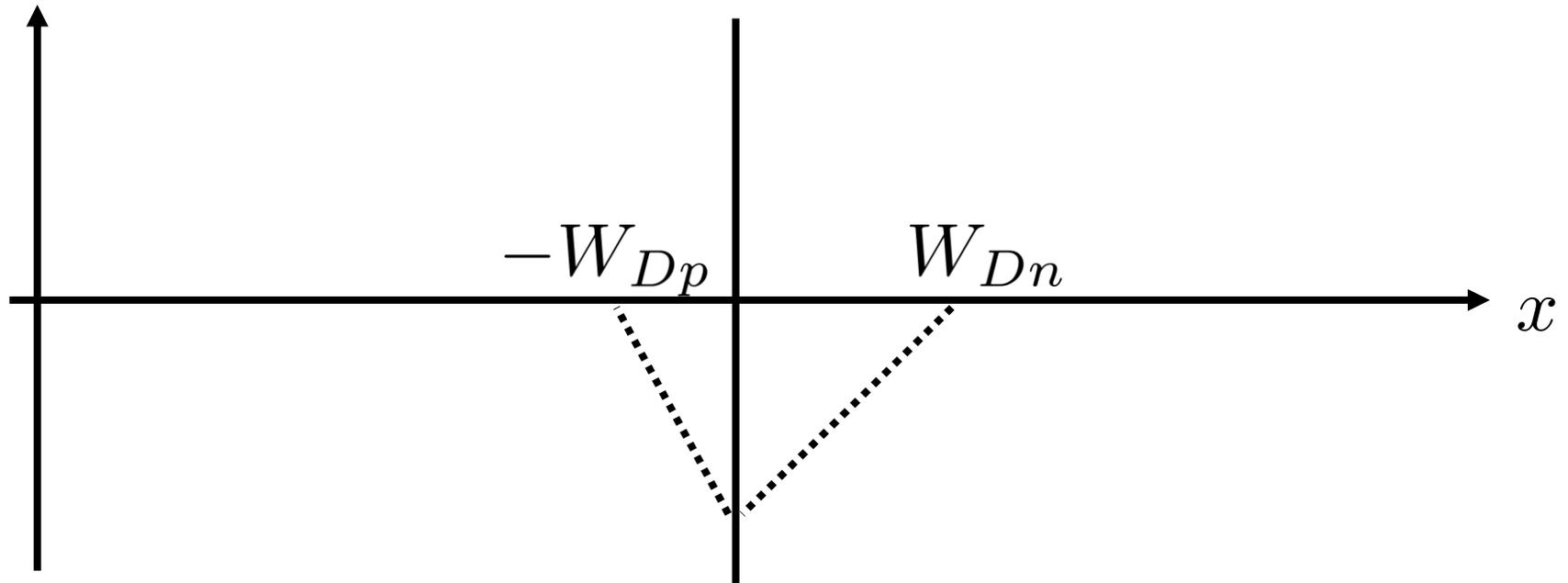
charge density  $\rho$



from Poisson  $\frac{d\mathcal{E}}{dx} = \frac{\rho(x)}{\epsilon_S}$

# Electric field

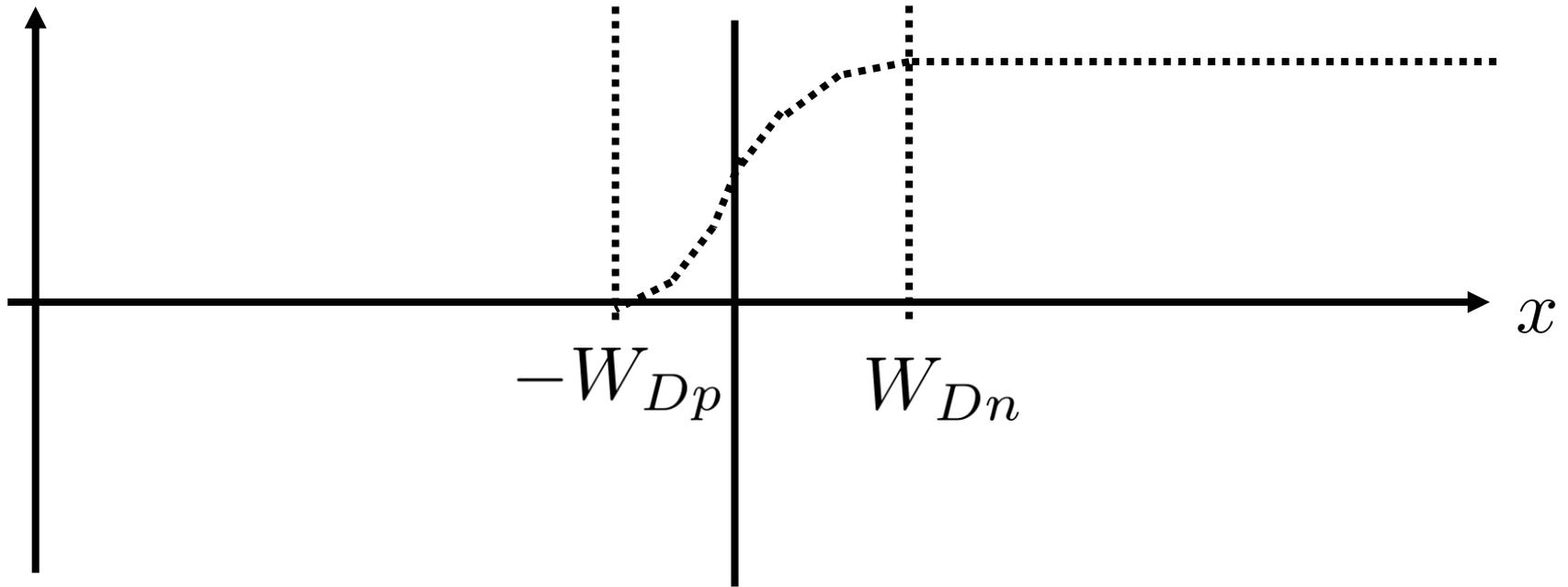
electric field  $\mathcal{E}$



from Poisson  $\frac{d\mathcal{E}}{dx} = \frac{\rho(x)}{\epsilon_S}$

# Potential

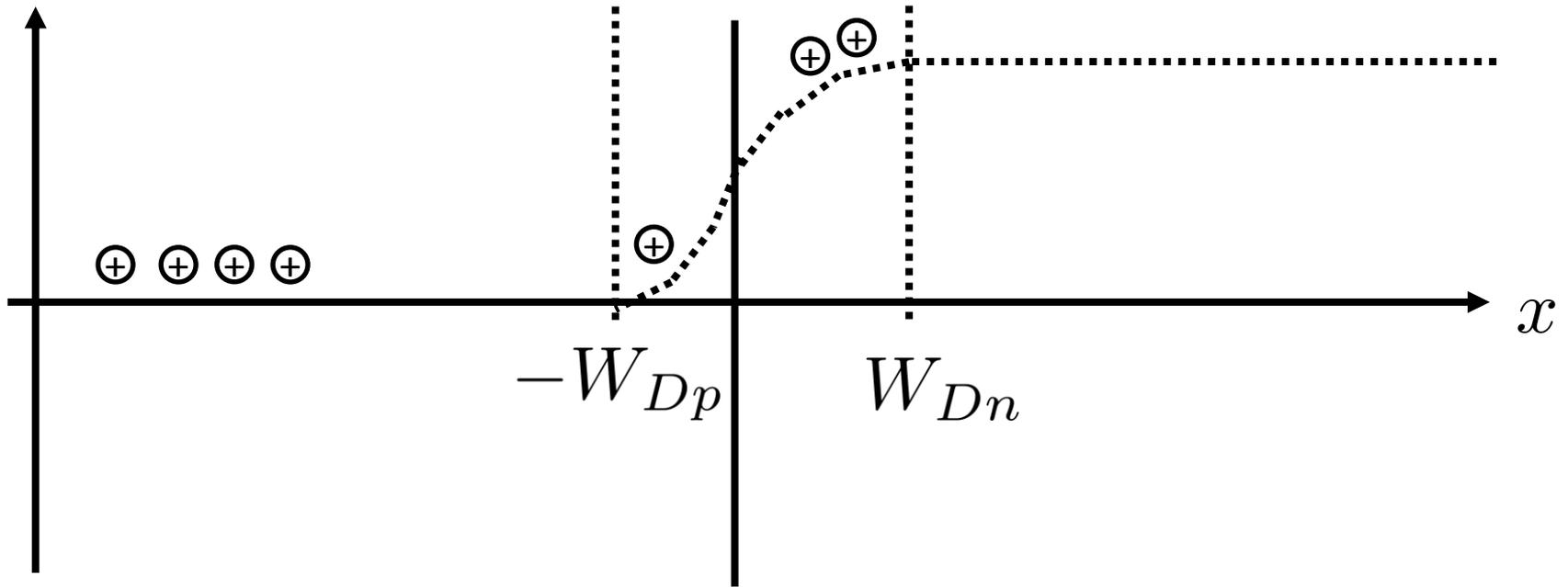
potential  $\psi$



from Poisson  $\frac{d\psi}{dx} = -\mathcal{E}(x)$

# Potential

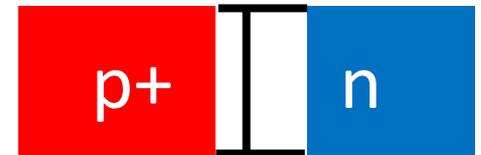
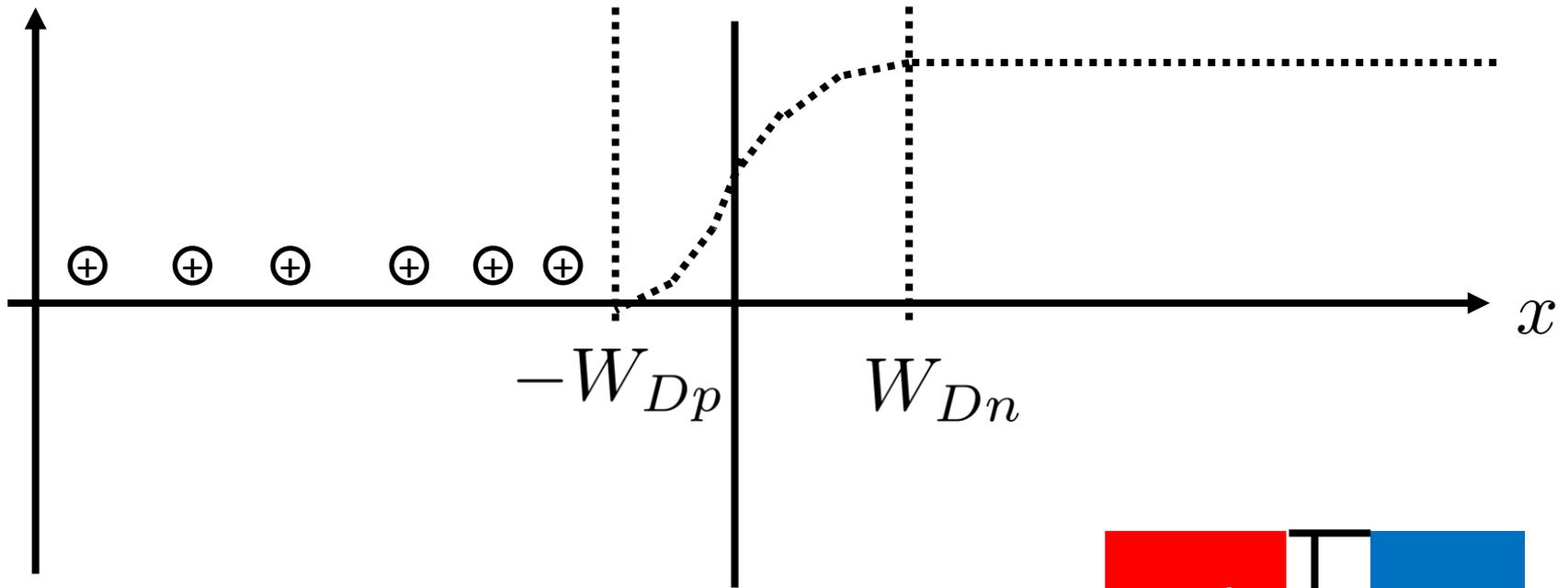
potential  $\psi$



from Poisson  $\frac{d\psi}{dx} = -\mathcal{E}(x)$

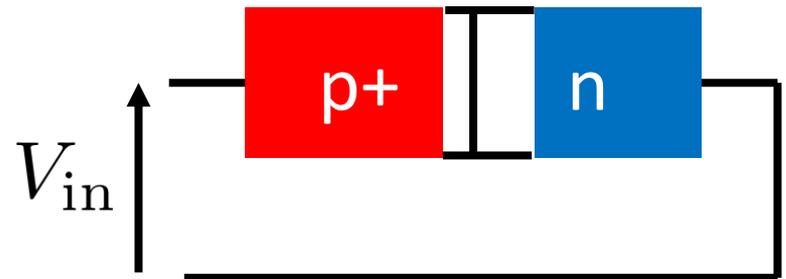
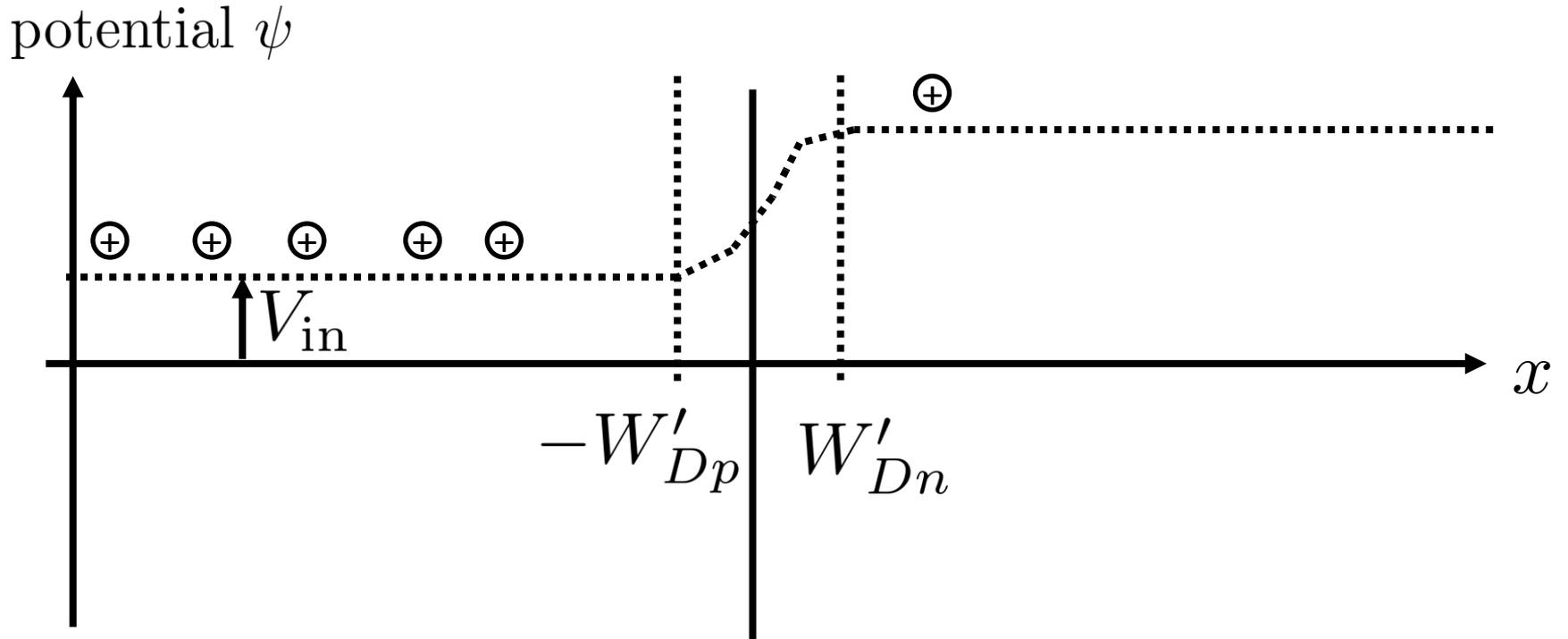
# Potential

potential  $\psi$



from Poisson  $\frac{d\psi}{dx} = -\mathcal{E}(x)$

# Decrease barrier

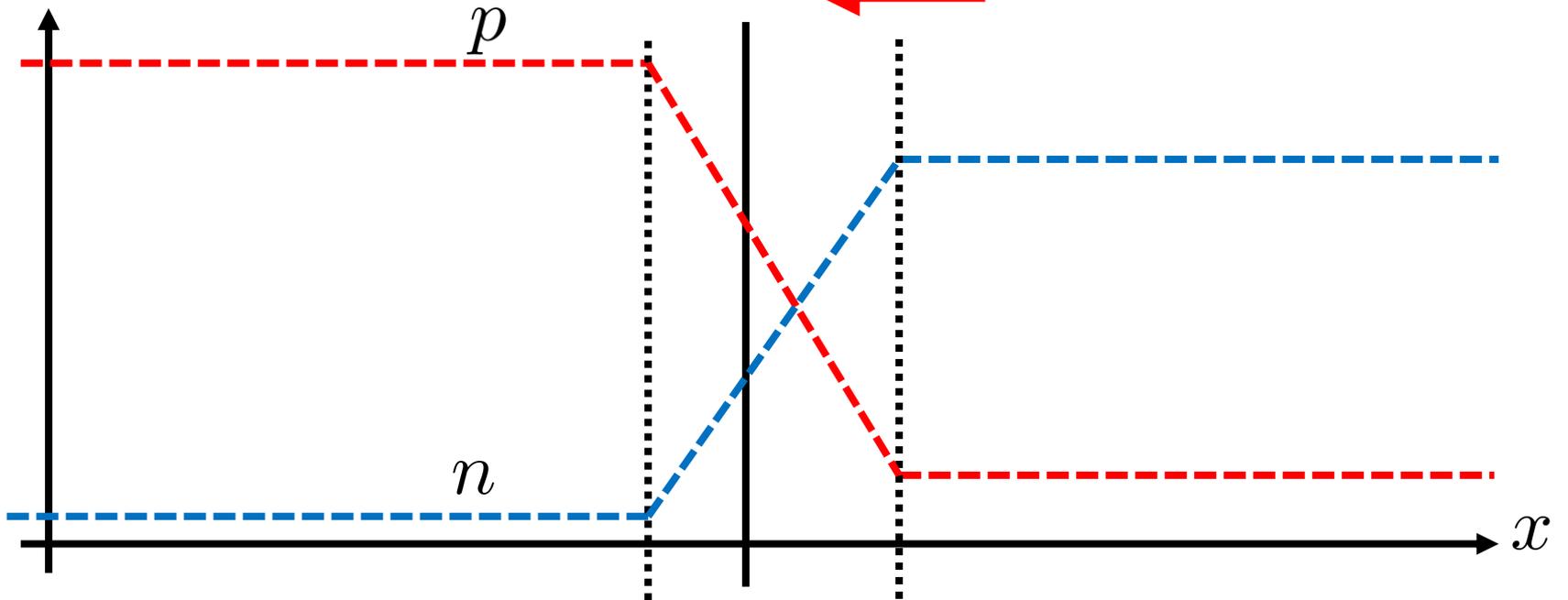


# Forward bias

electric field  $\mathcal{E}$   
→

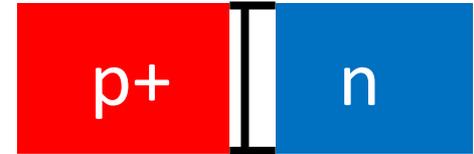
log(carrier density)

h+ diffusion →  
h+ drift ←  
new h+ drift ←

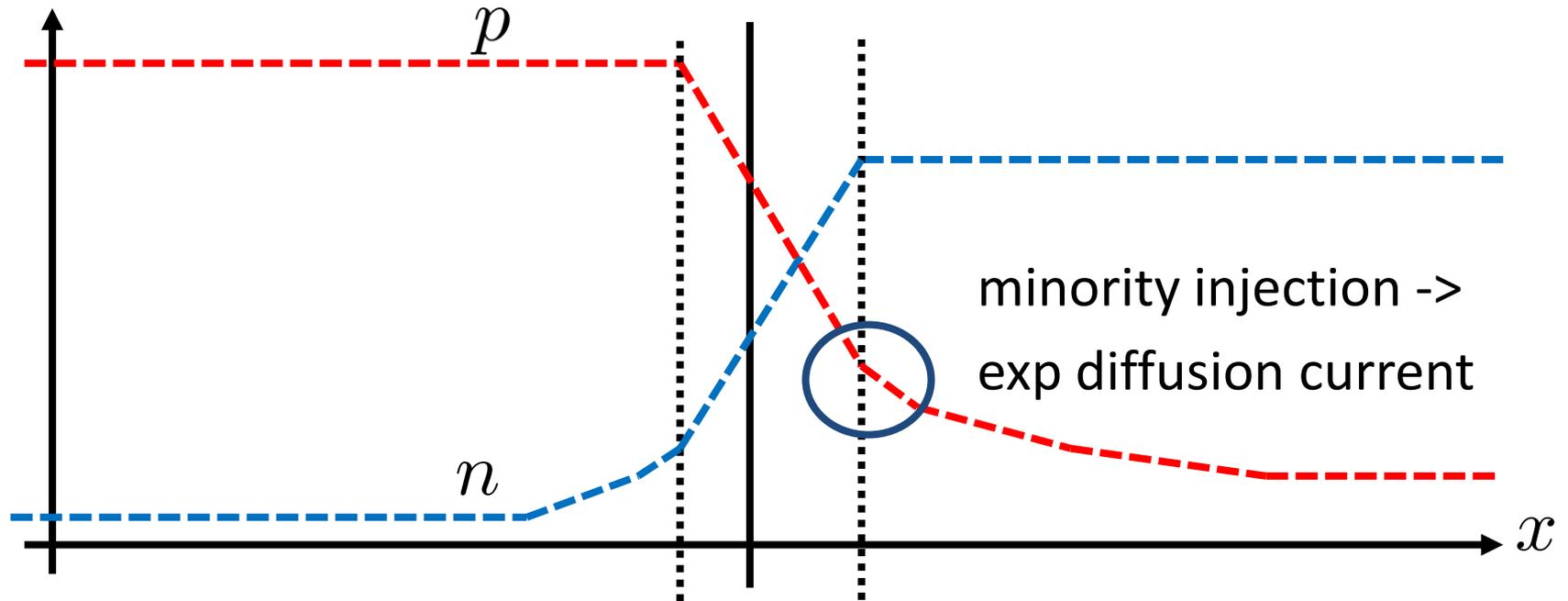


# Forward bias

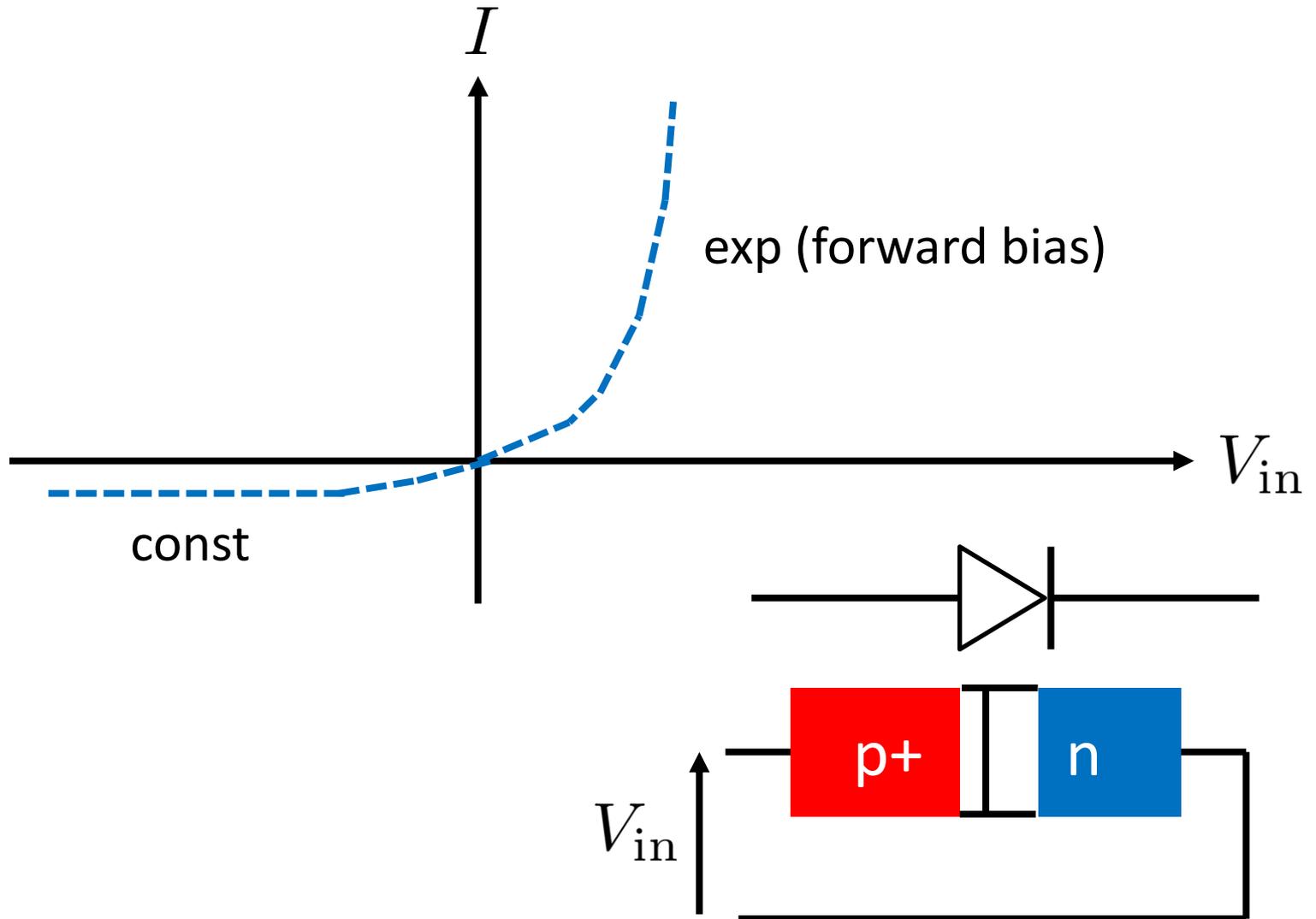
electric field  $\mathcal{E}$   
→



log(carrier density)

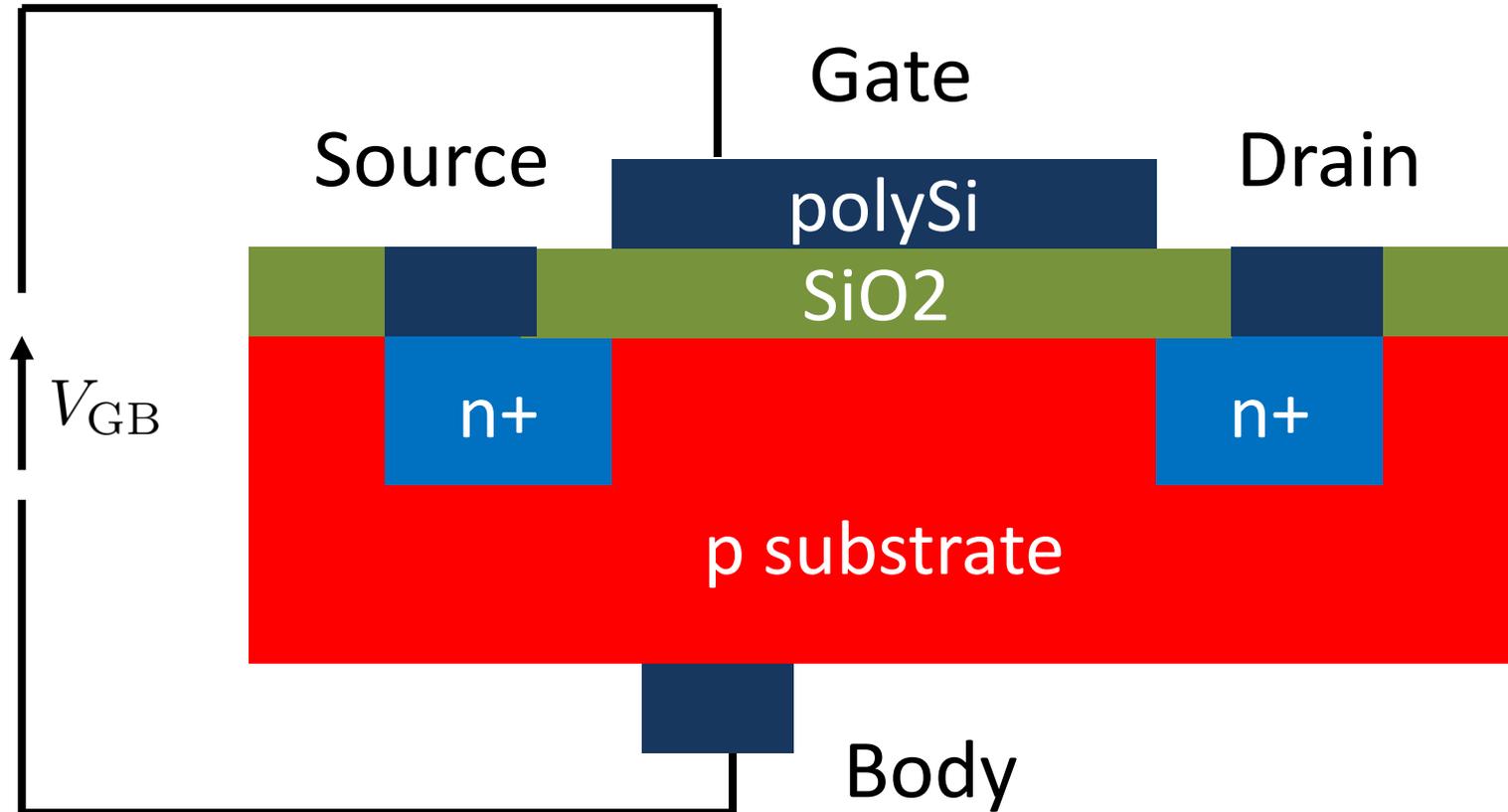


# pn-junction current



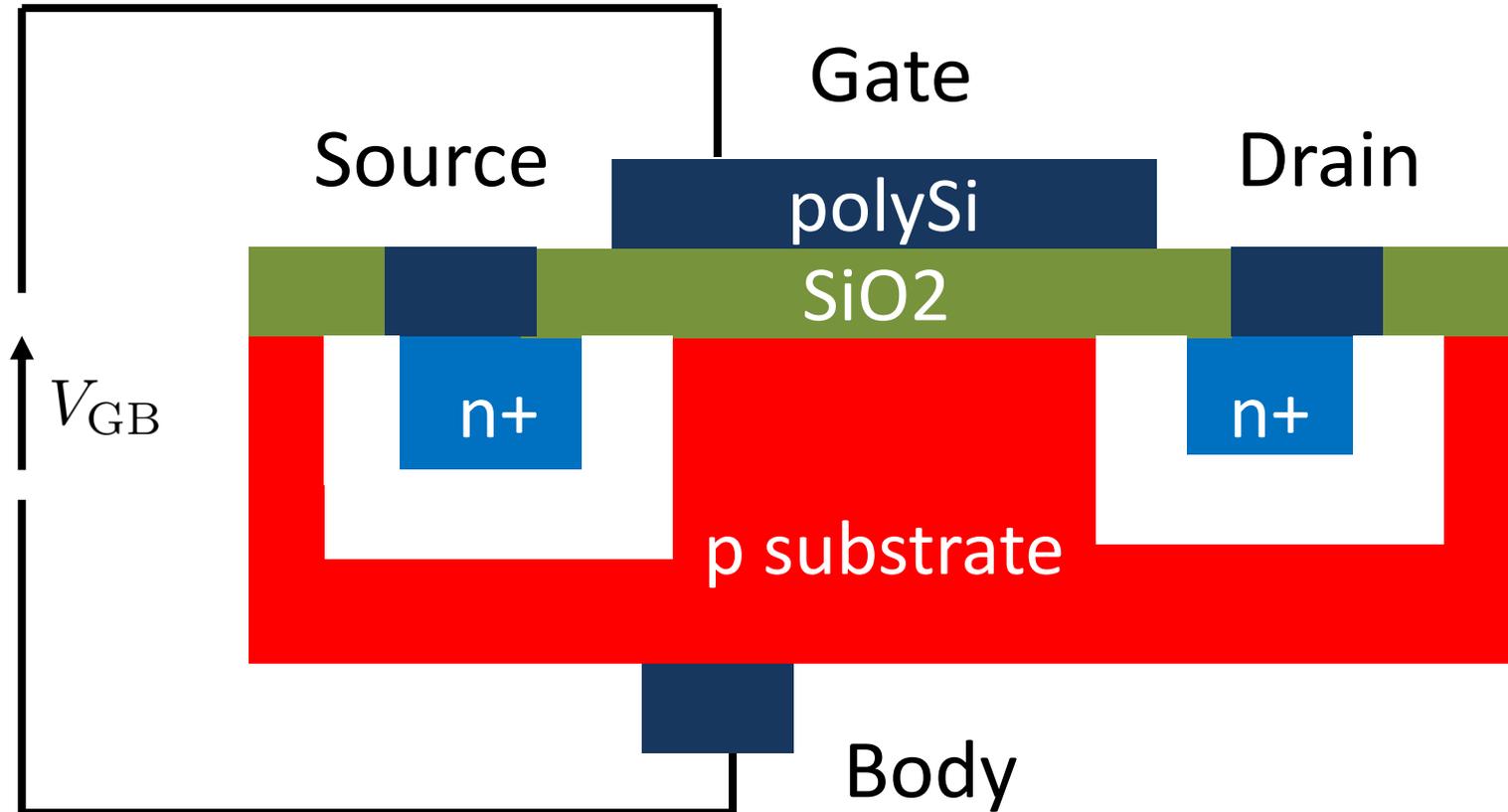
# MOSFET

n (channel) MOSFET



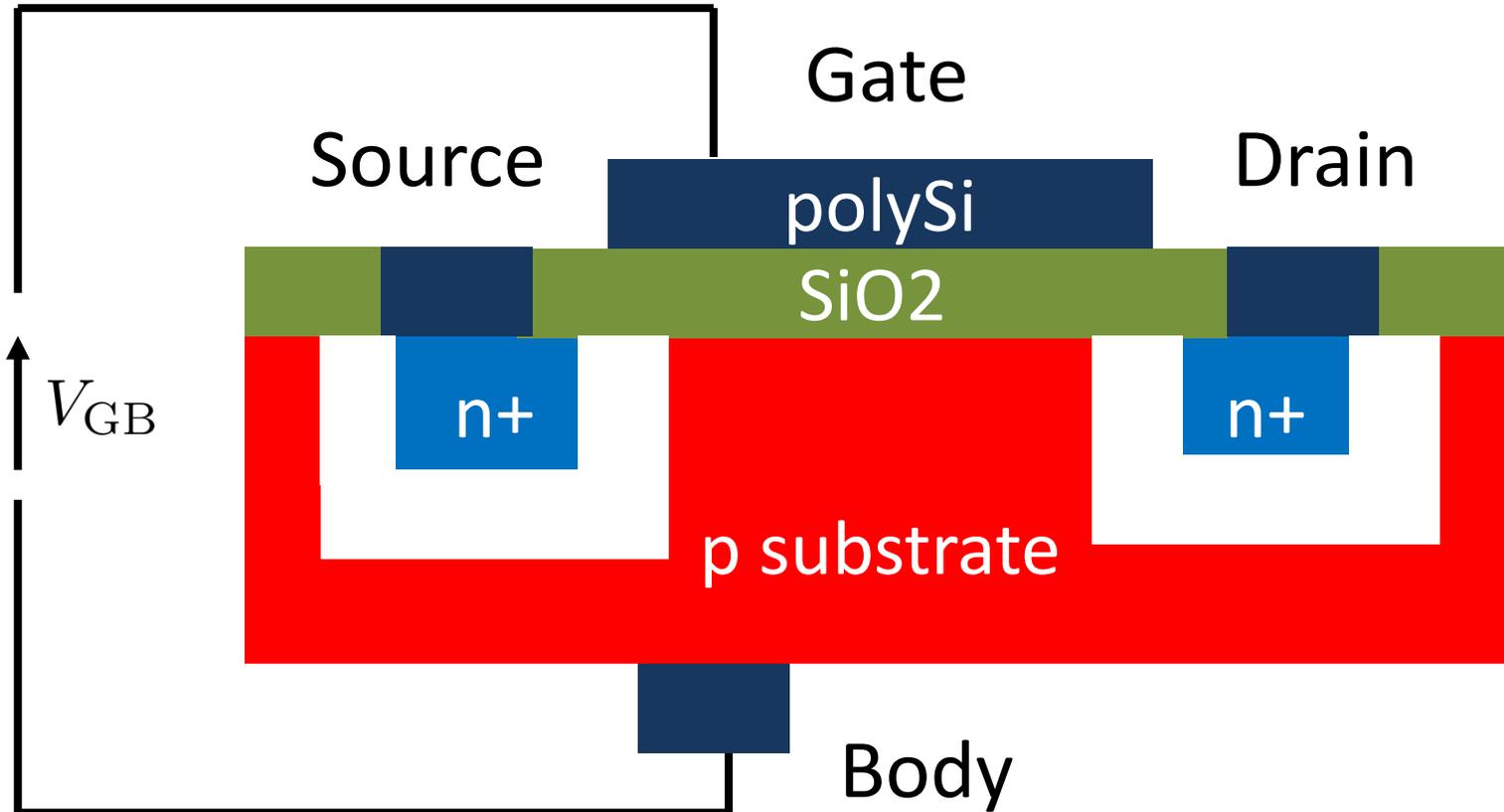
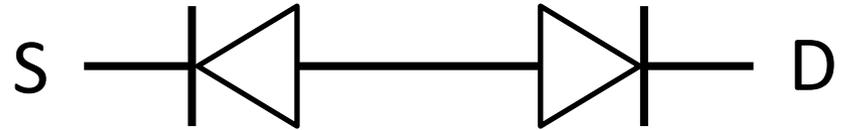
# MOSFET

Two pn junctions



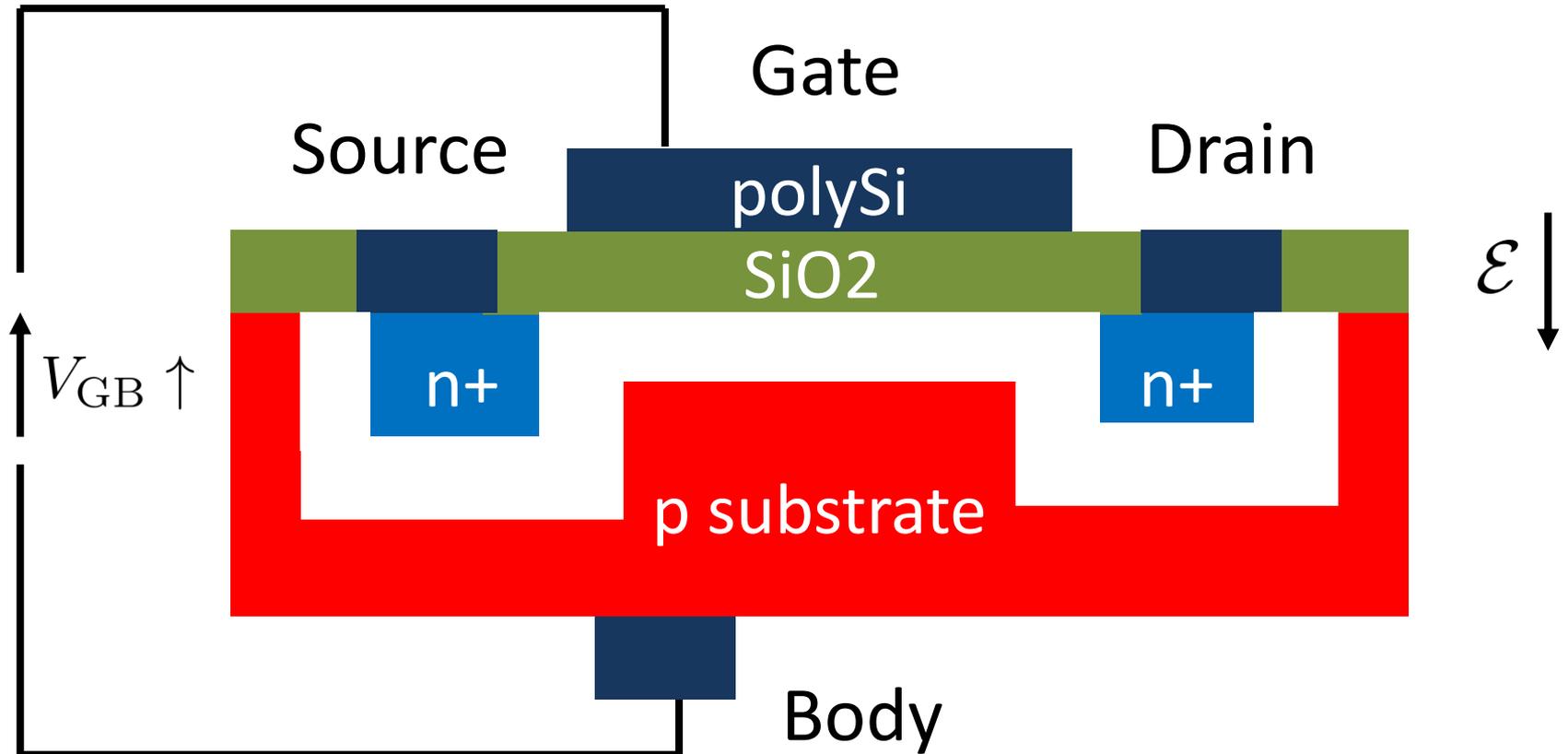
# MOSFET

Two pn junctions



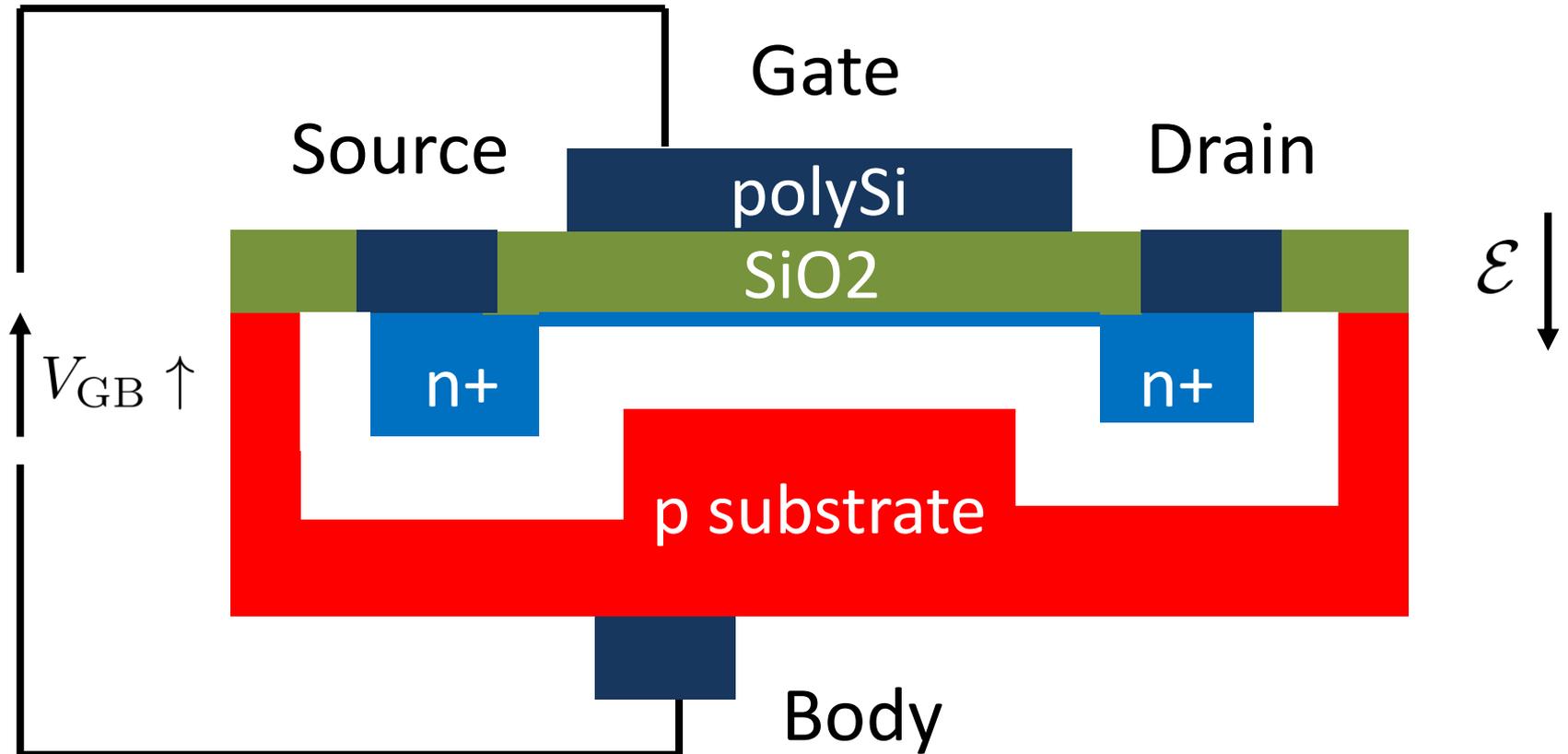
# Increasing $V_{GB}$ ...

-> Electric field -> Depletion Region



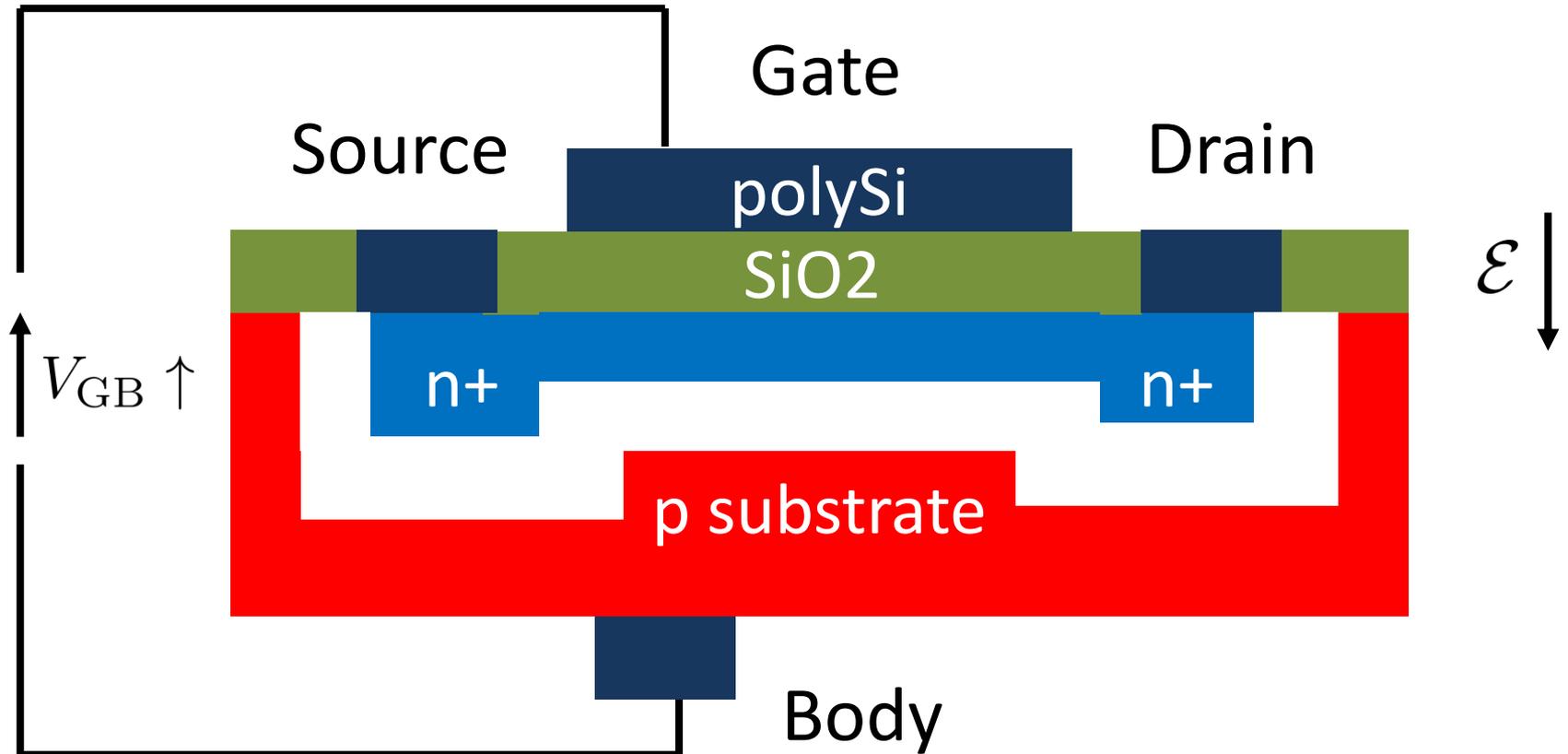
... further increasing...

-> Depletion Region & inversion starts at  $V_{GB} = V_{th}$

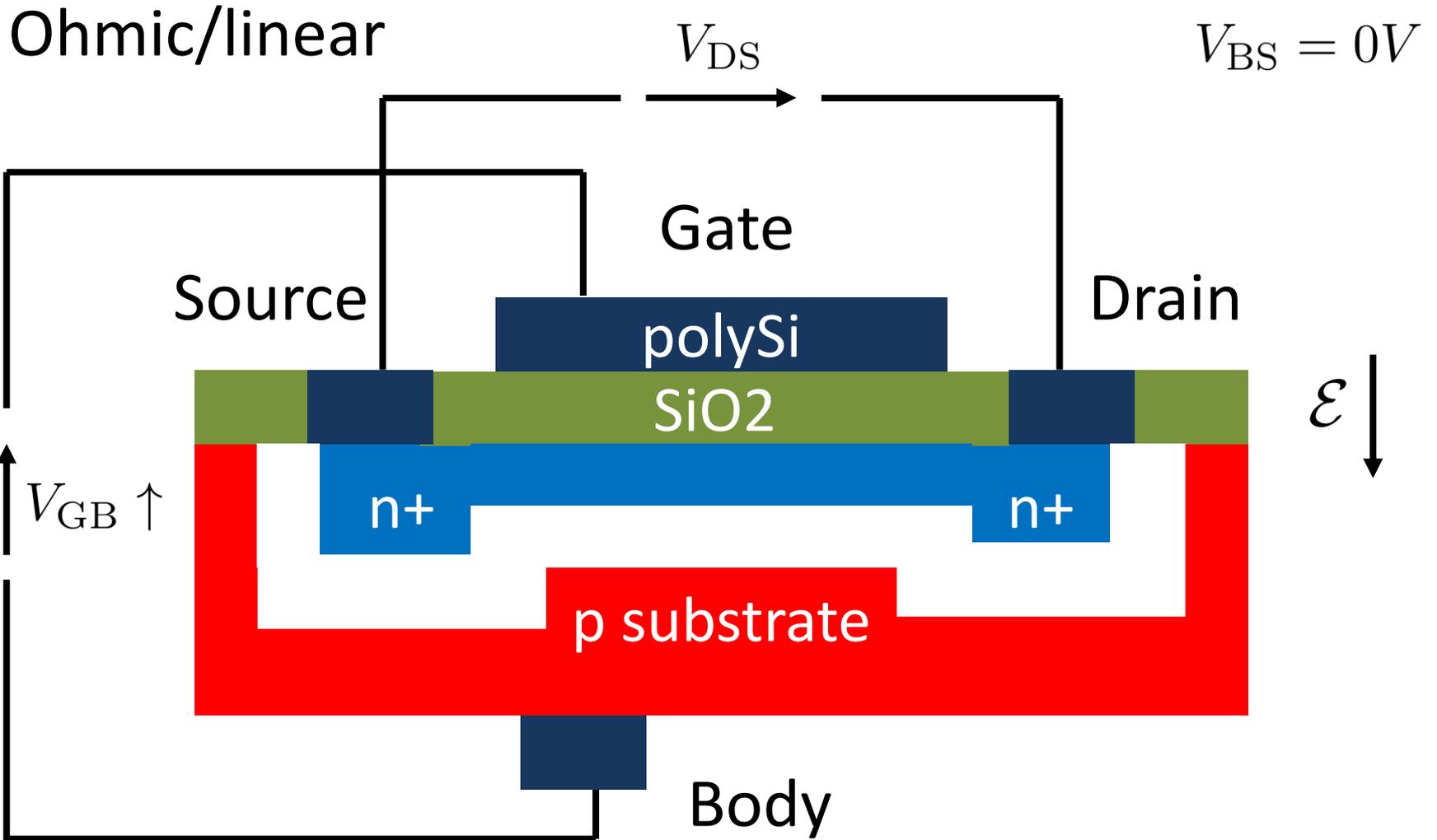


... & further increasing

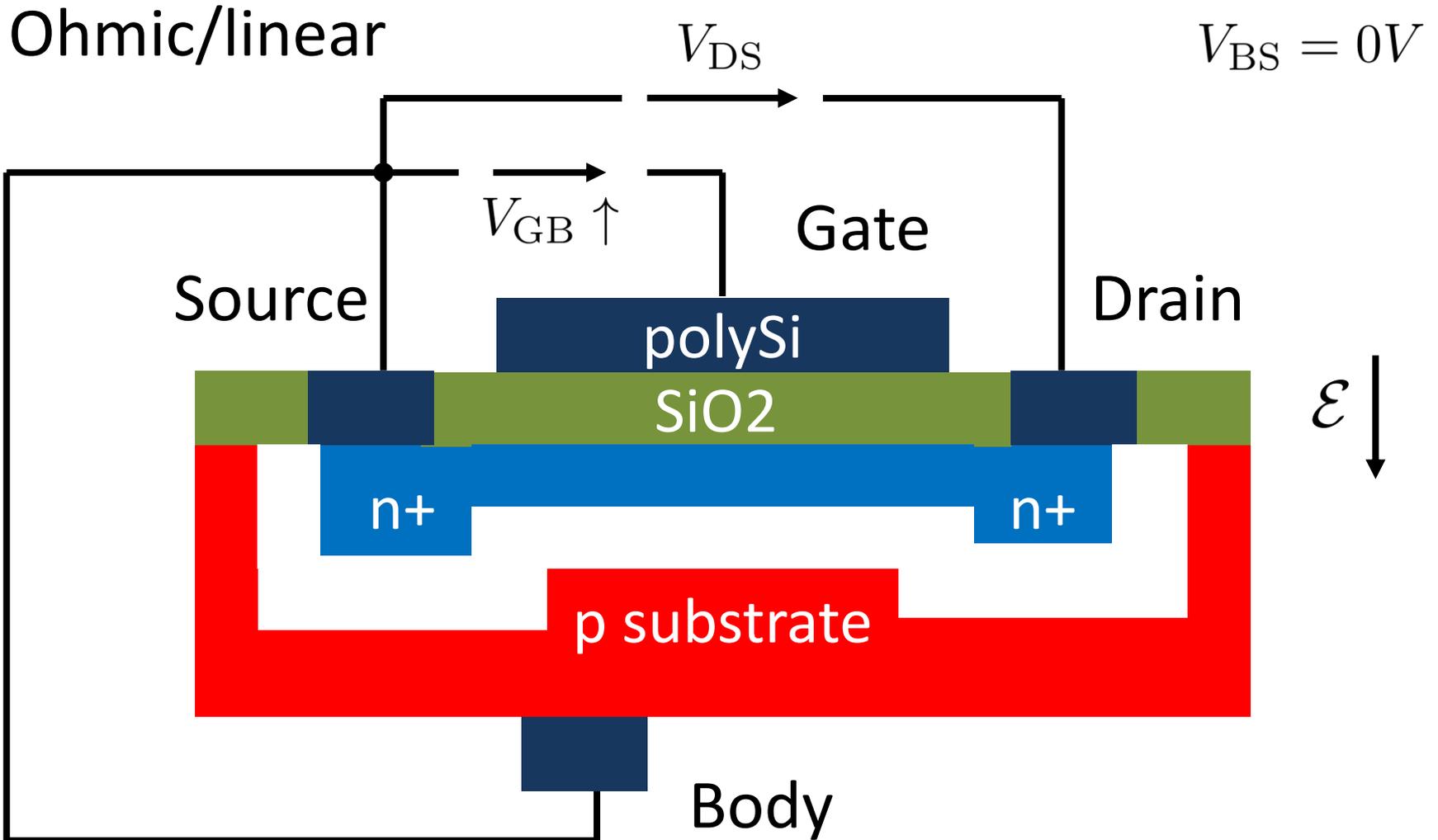
-> Inversion & n-channel forms:  $V_{GB} \geq V_{th}$



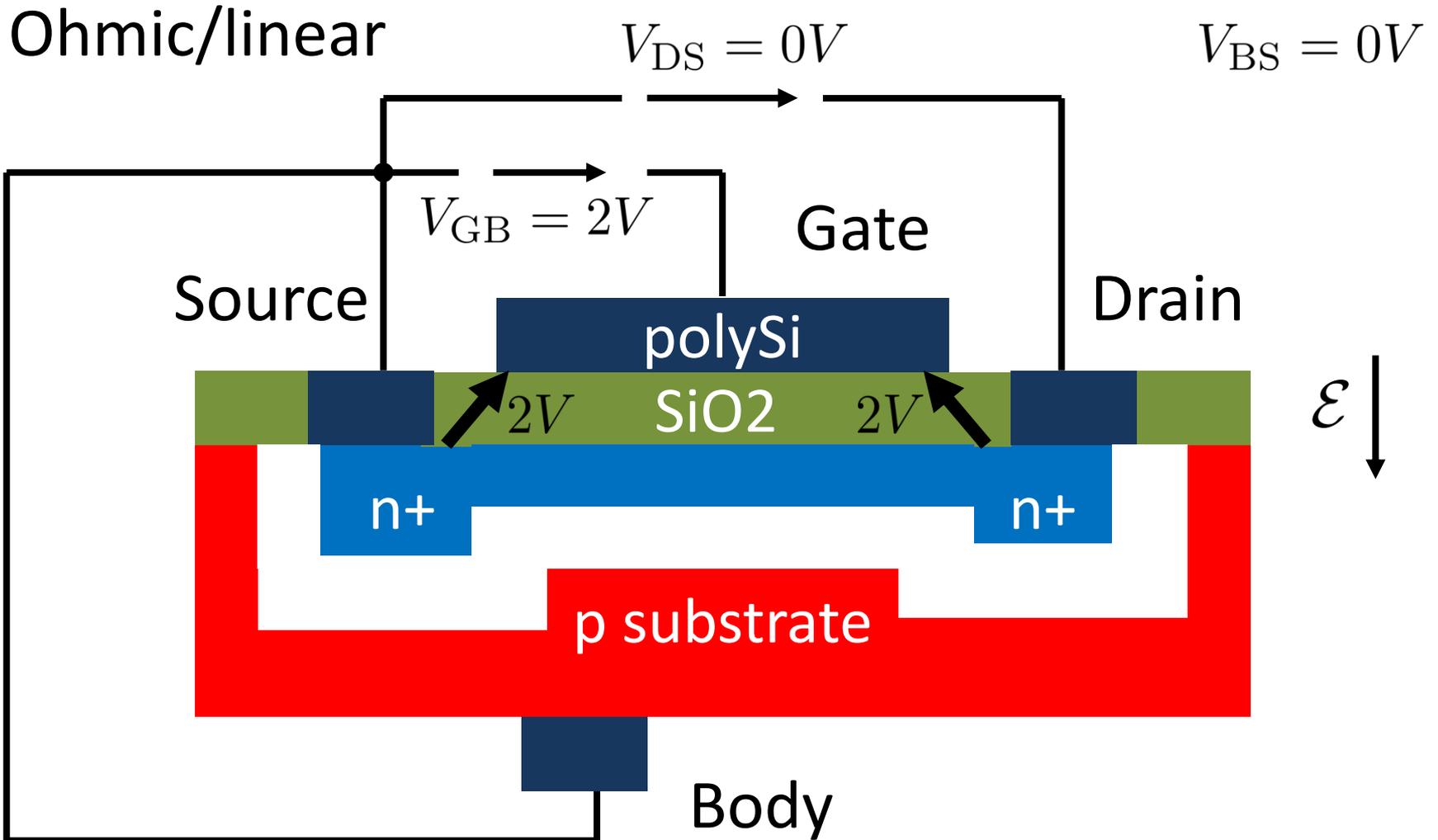
# MOSFET



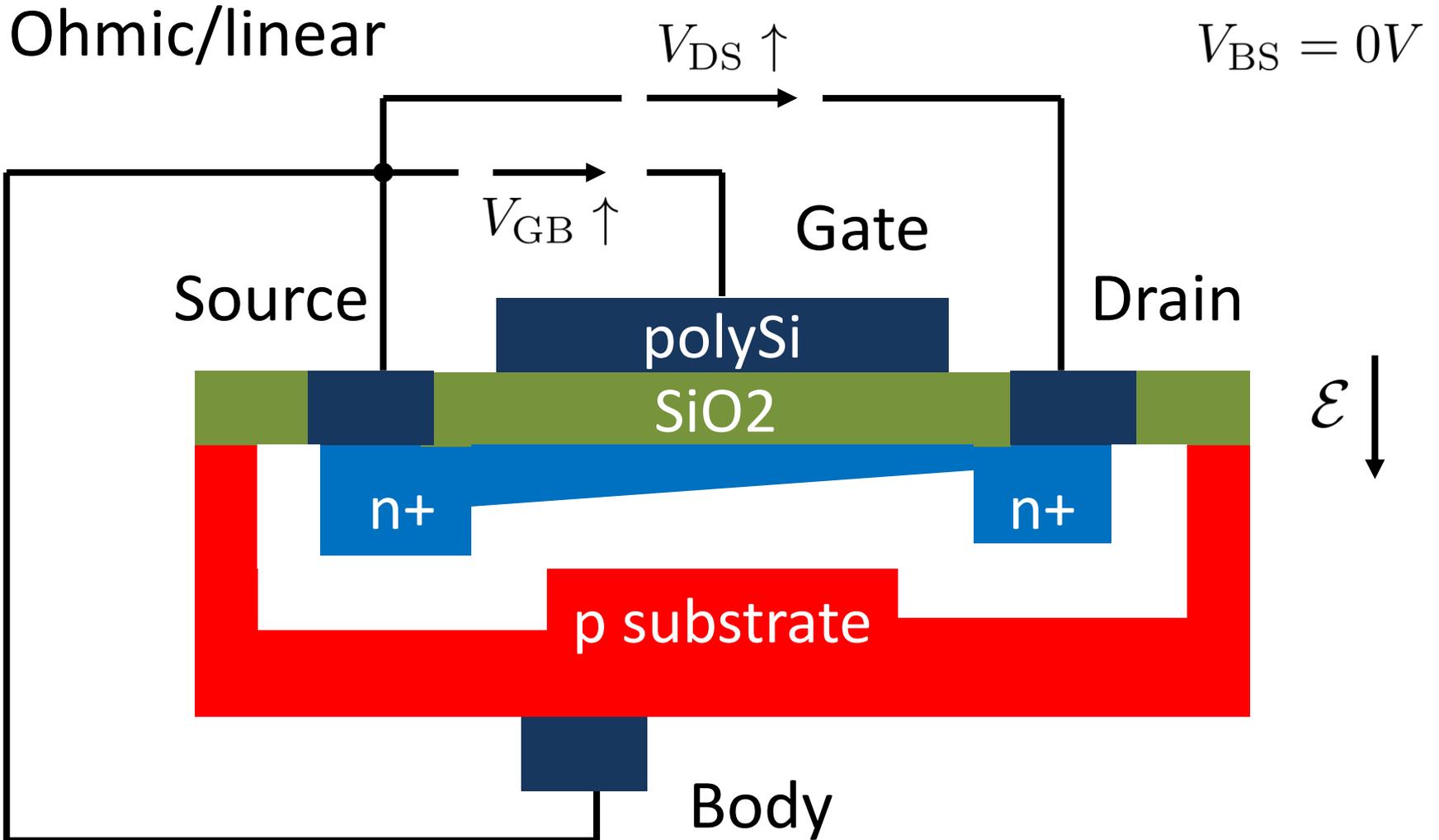
# MOSFET



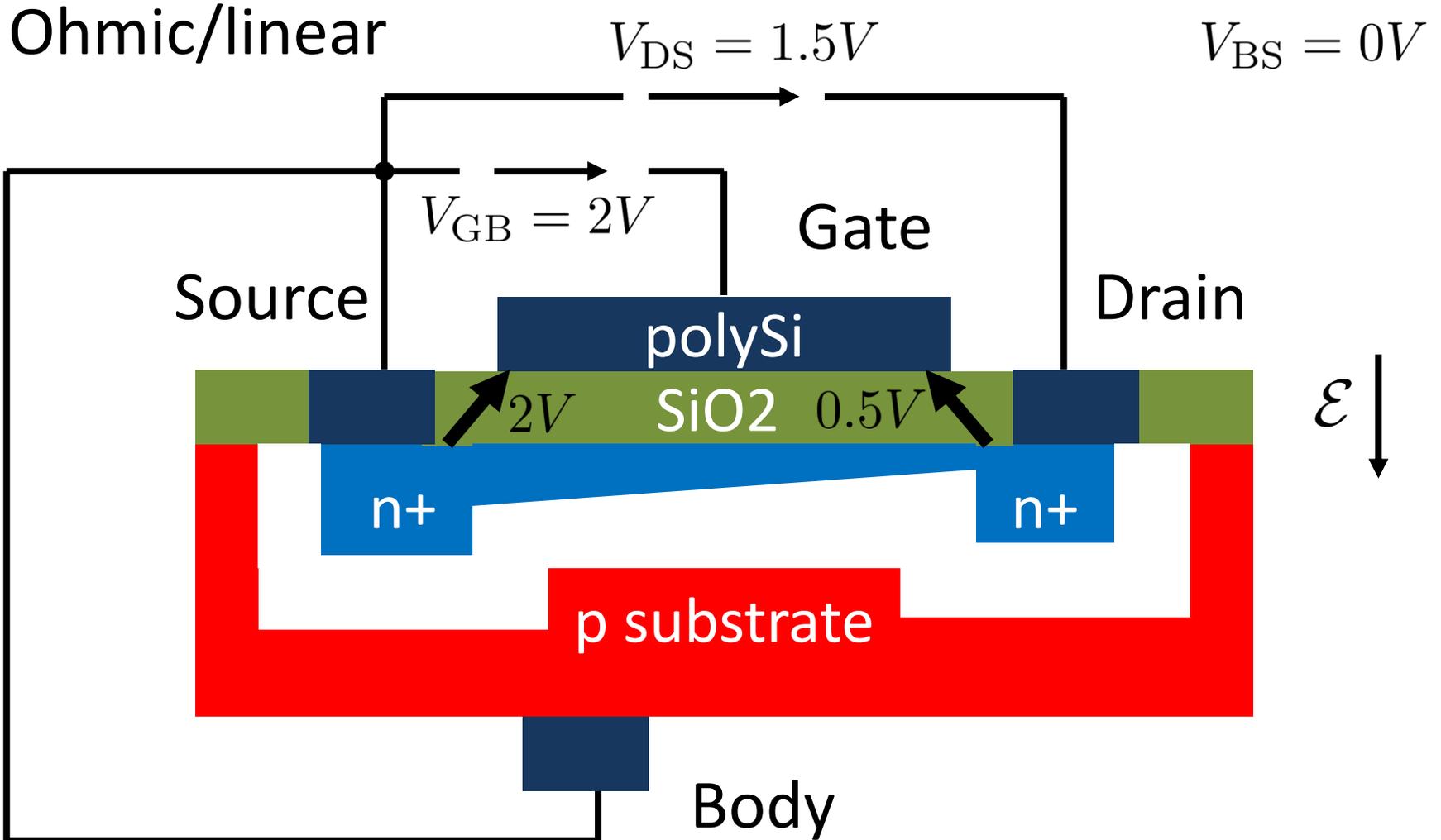
# MOSFET – channel potential



# MOSFET

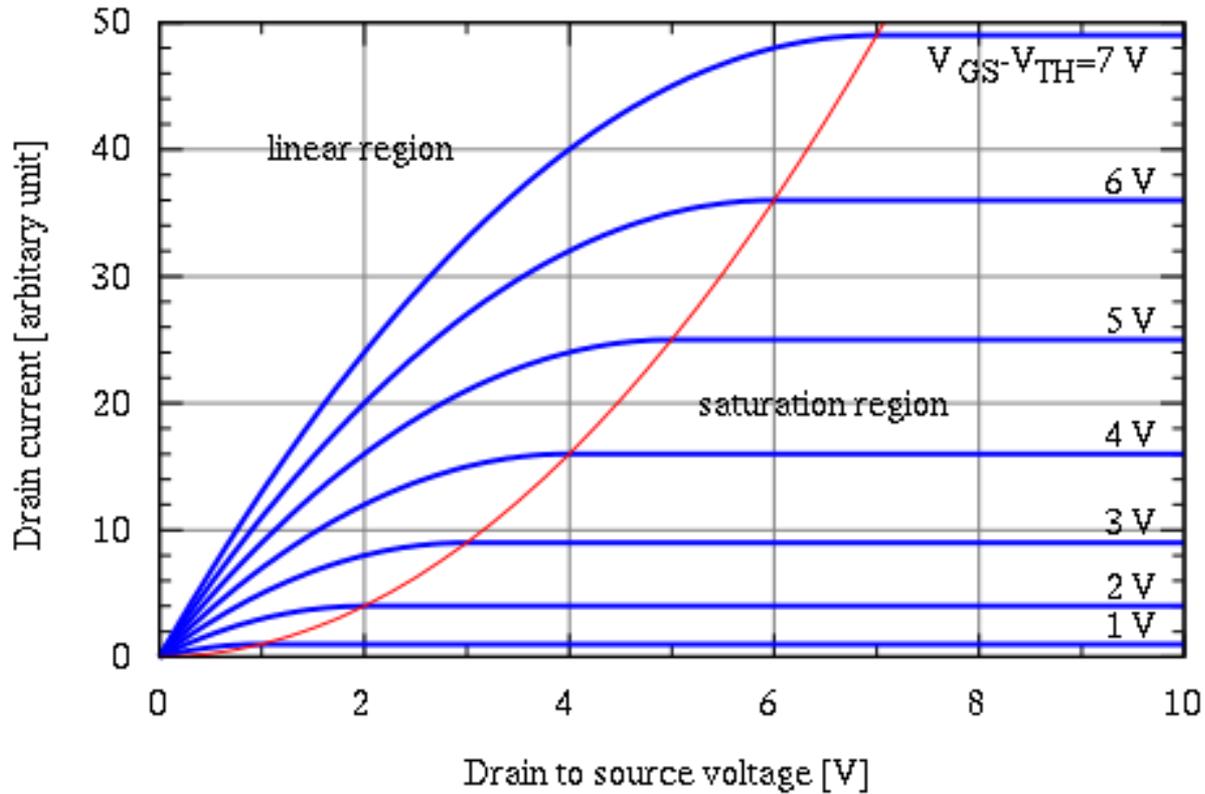


# MOSFET – channel shape





# MOSFET



calculated, from [commons.wikimedia.org/wiki/File:lvsv\\_mosfet.svg#/media/File:lvsv\\_mosfet.svg](https://commons.wikimedia.org/wiki/File:lvsv_mosfet.svg#/media/File:lvsv_mosfet.svg)