

# **Key Idea**



- Very few radiance samples per texel
  - $\Rightarrow$  no dense sampling of the BRDF
- Most real-world objects consist of a small set of distinct materials.
  - $\Rightarrow$  fit a BRDF model for each basis material
  - $\Rightarrow$  start with the avg. BRDF of the entire surface

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### The Lafortune Model



- $f_r(\hat{\omega}_i, \hat{\omega}_o) = \rho_d + \sum_j \left( C_{x,j}(\omega_{i_x} \omega_{o_x} + \omega_{i_y} \omega_{o_y}) + C_{z,j} \omega_{i_z} \omega_{o_z} \right)^{N_j}$ 
  - physically plausible
  - diffuse component plus a number of lobes
  - 3\*(1+ i\*3) parameters (12 for a single lobe model)
  - fit parameters to samples using Levenberg-Marquardt

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# Fitting BRDFs to Lumitexels SIGGRAPH2005



define error measure between a BRDF and a lumitoxel.

$$E_{f_r}(L) = \frac{1}{|L|} \sum_{R_j \in L} \left( f_r(\vec{\omega}_{i_j}, \vec{\omega}_{o_j}) \vec{\omega}_{i_j z} - r_j \right)^2$$

= average error over all radiance samples

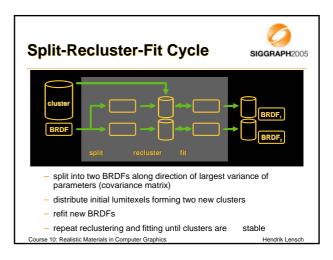
- perform non-linear least square optimization for a set of lumitexels using Levenberg-Marquardt
- yields a single BRDF (i.e. its parameters) per set of lumitexels

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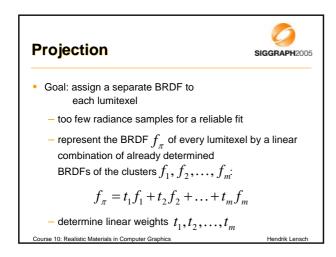
# Fitting Result SIGGRAPH2005 Course 10: Realistic Materials in Computer Graphics Hendrik Lensch

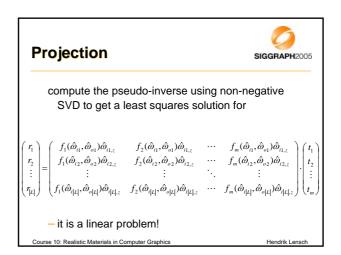


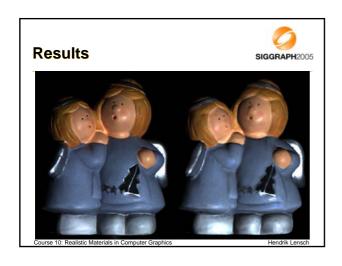


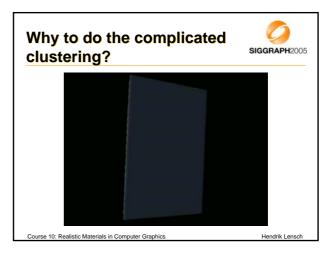


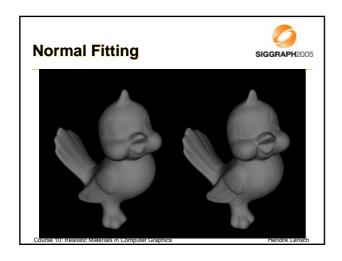


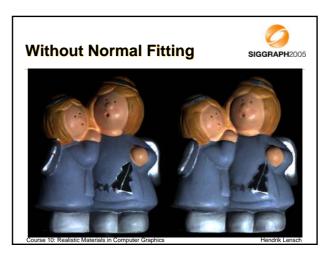


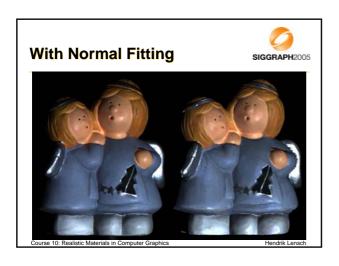
















## Conclusion



- determine BRDF of a few basis materials
- spatial variation as a blend of basis BRDFs
- highly efficient acquisition
- model based
- requires geometry model

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